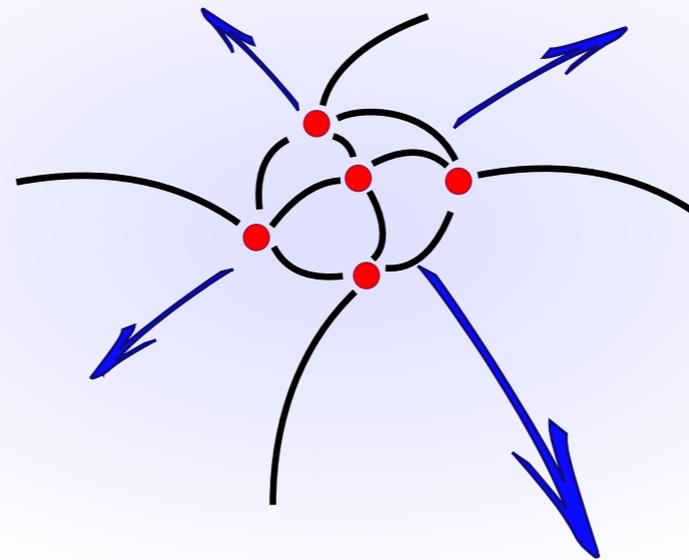




Dissipative and non-dissipative many-body dynamics in a cold Rydberg gas

Cristiano Simonelli

INO-CNR and Dipartimento di Fisica, Pisa, Italy 28/09/2016



- C. Simonelli, M. Archimi, L. Asteria, D. Capecchi, G. Masella, F. Castellucci, E. Arimondo, D. Ciampini, O. Morsch
- I. Lesanovsky, J. Garrahan; P. Pillet, R. Faoro
- **Funding:** FET-RYSQ, ITN-COHERENCE, PRIN



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DI OTTICA

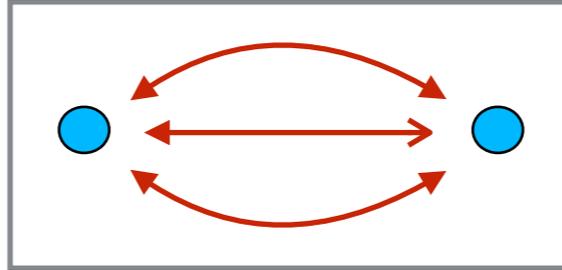


Overview

- **Non equilibrium dynamics of a many body system**
- **Non dissipative regime: Observation of the kinetic constraint and the facilitation**
- **Seeded avalanche process**
- **Dissipative regime: preliminary results of percolation process**
- **Conclusions and outlook**

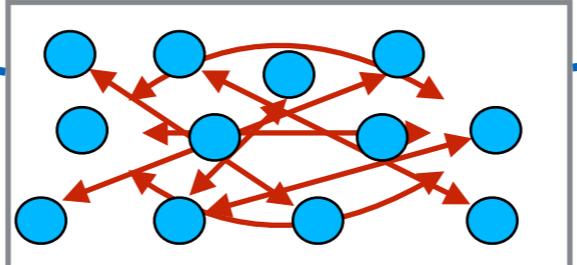
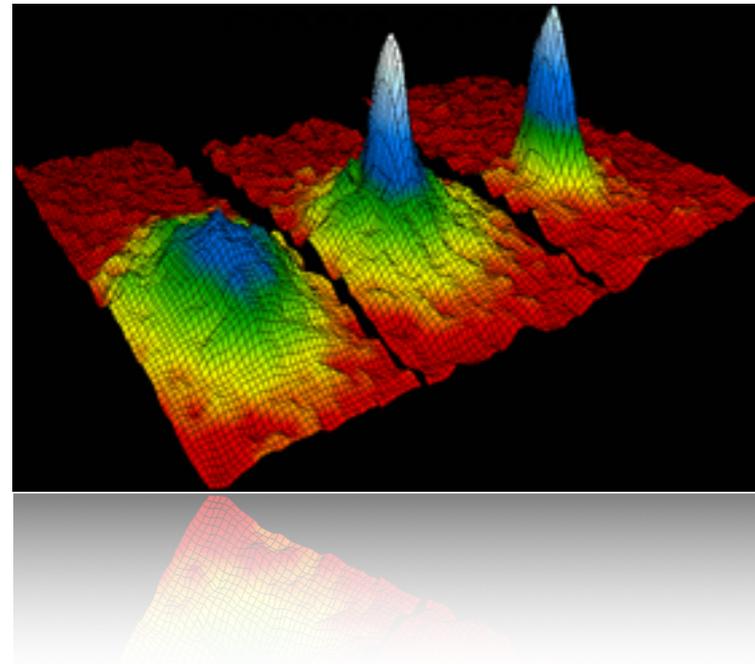


Many body systems



Many body systems

Bose Gas



Herding behaviour



“More is different”*

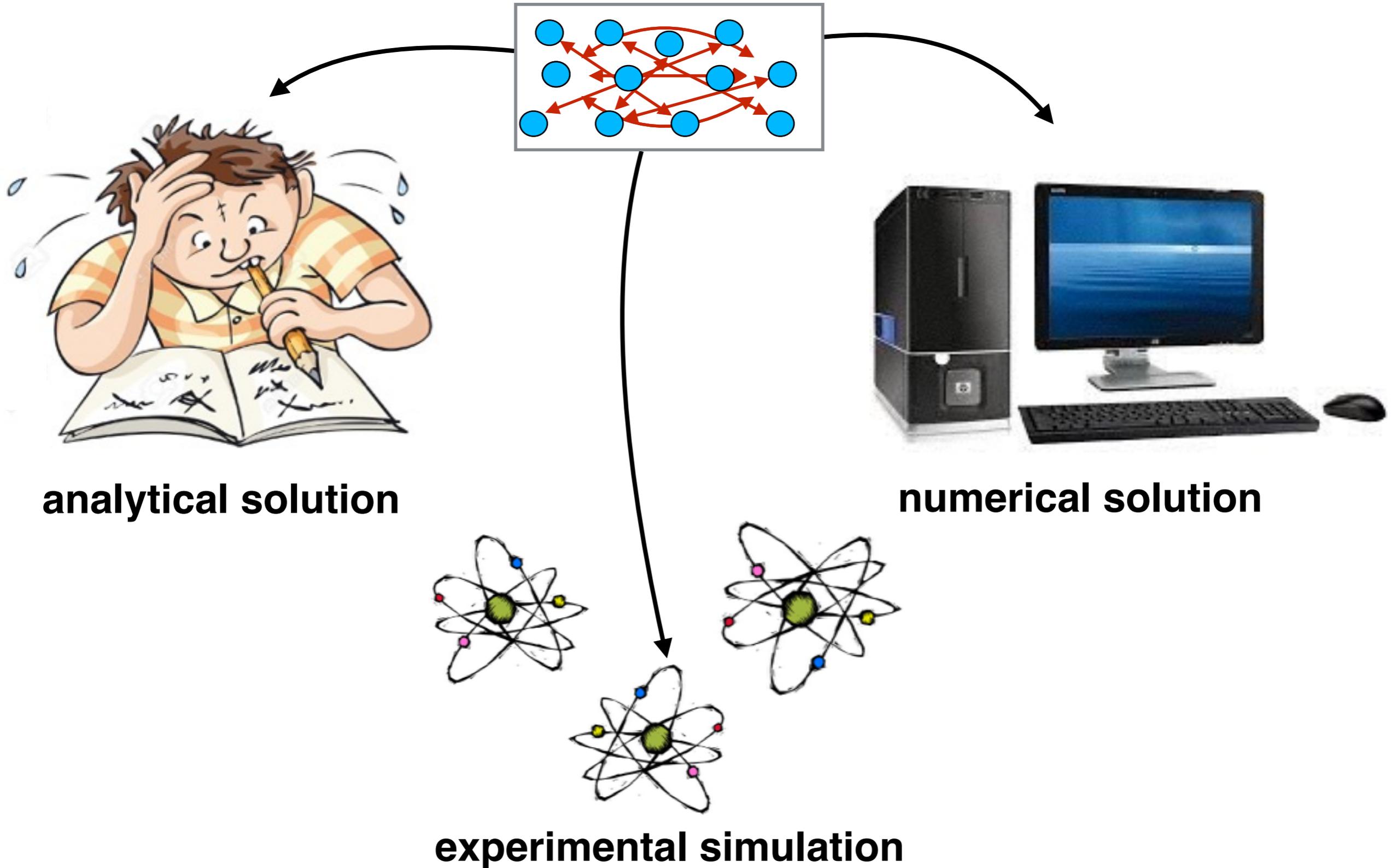


Neural network

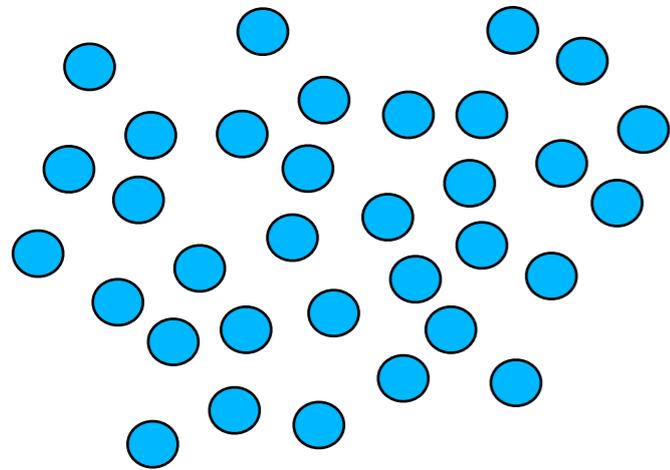


* P. W. ANDERSON, *SCIENCE*, 04 AUG 1972, 393-396

Many body problem



Non-equilibrium dynamics of a many-body system



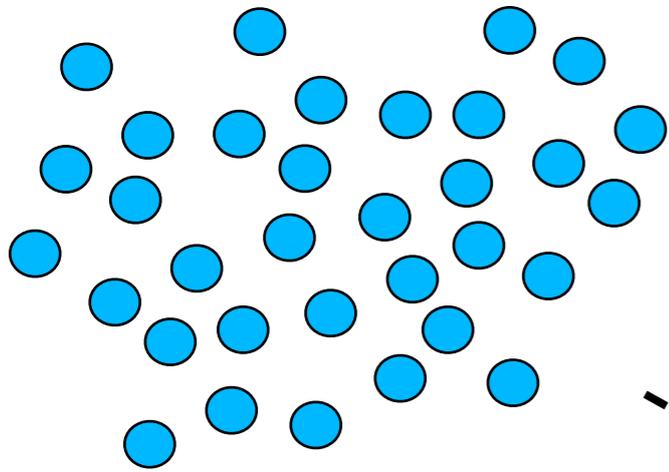
ground state: trivial

● excited state (spin up)
● ground state (spin down)

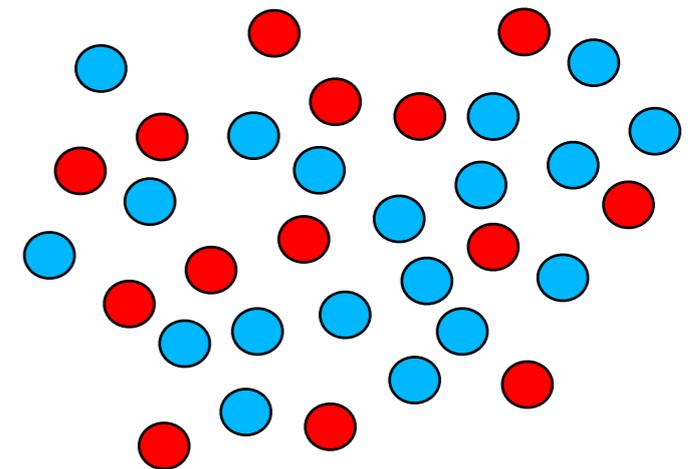
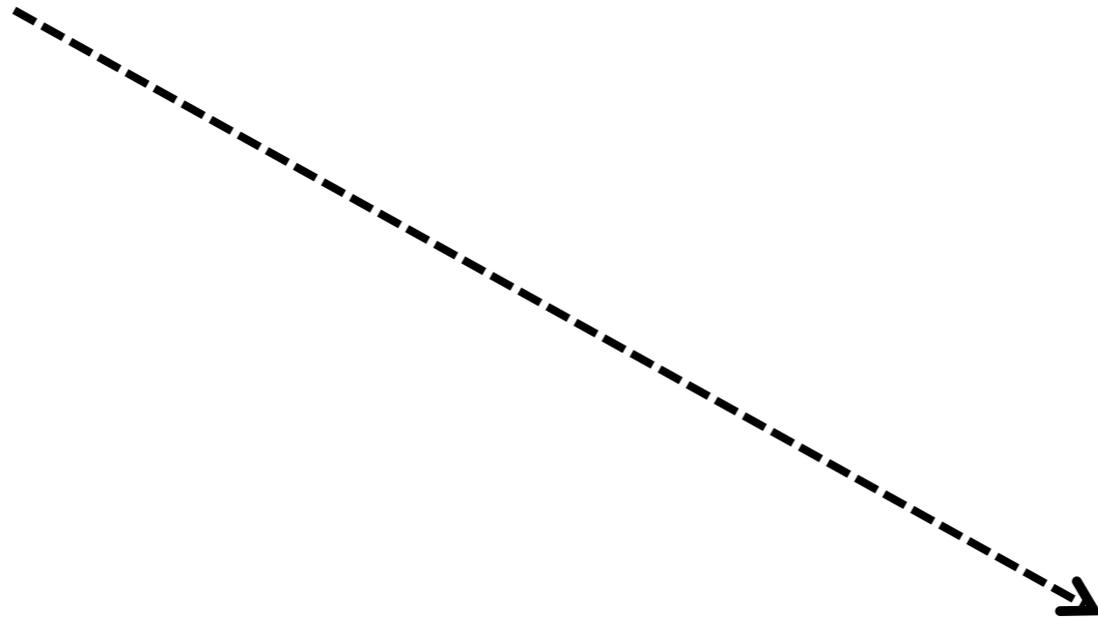
↷ ● spin flip with rate Γ
●

● ↔ ● interaction (only in excited state)

Non-equilibrium dynamics of a many-body system

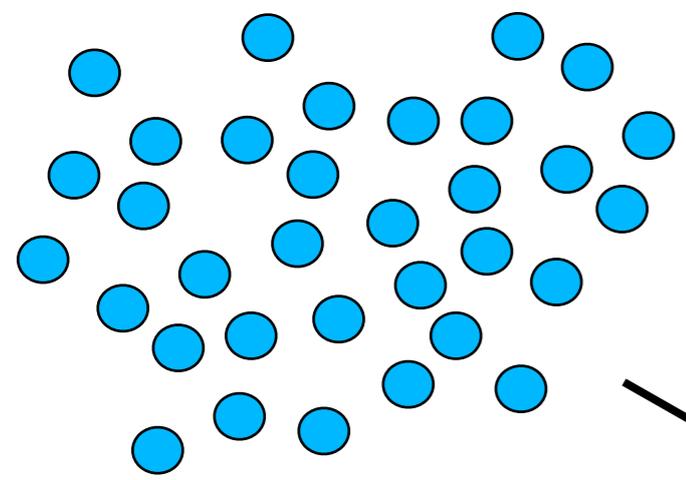


ground state: trivial

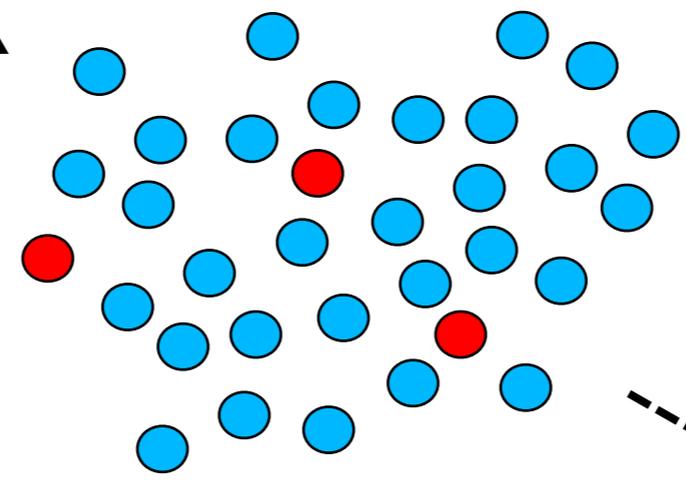
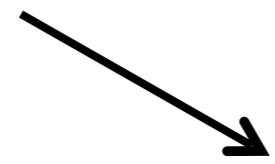


steady state: trivial (fully mixed)

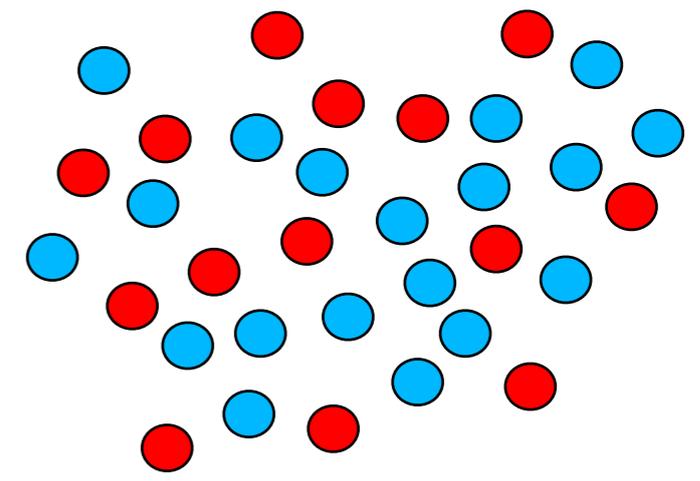
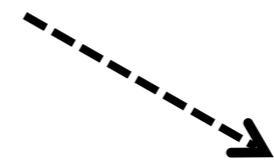
Non-equilibrium dynamics of a many-body system



ground state: trivial



non-equilibrium dynamics:
possibly complex

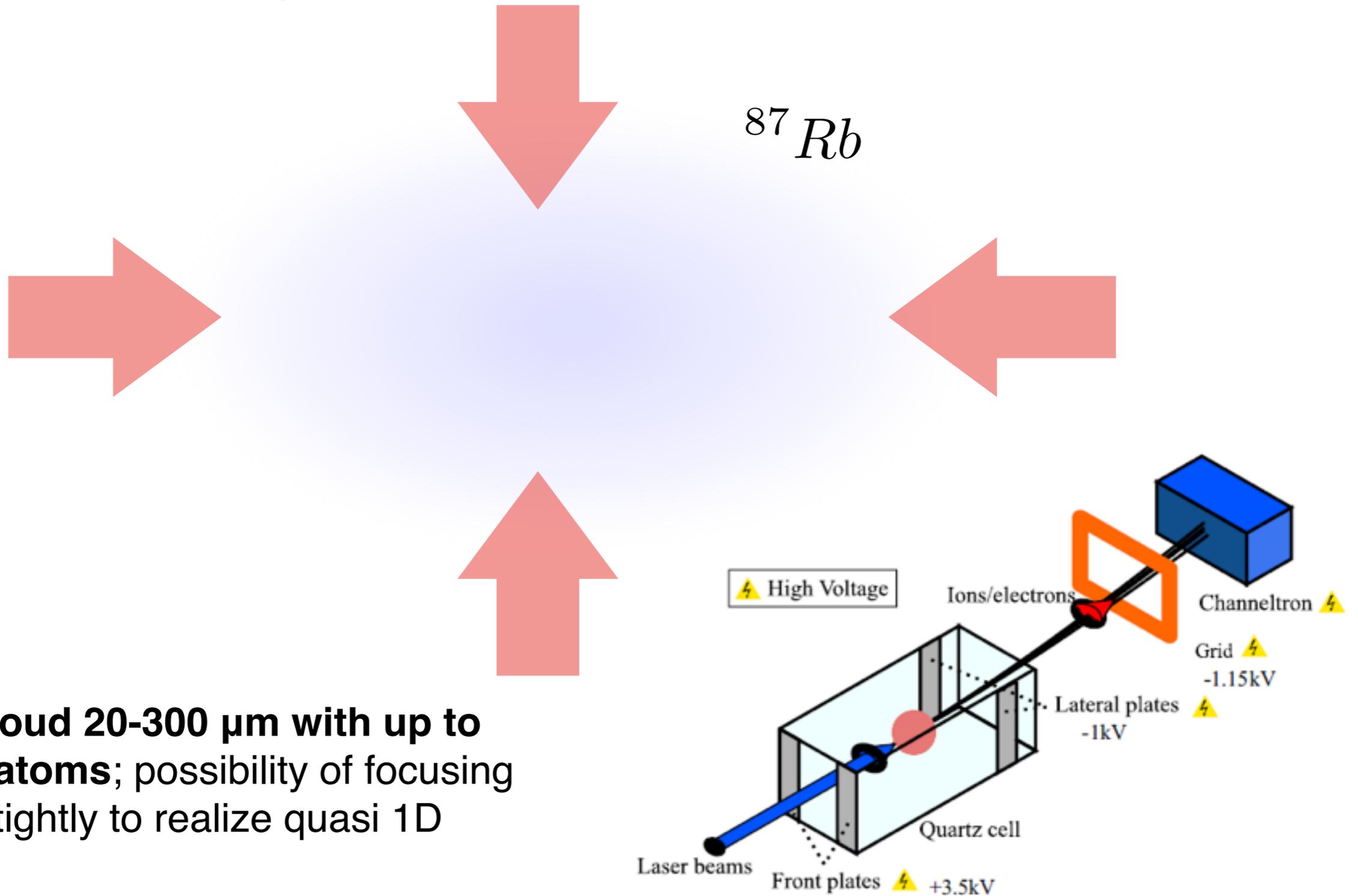


steady state: trivial

Cold cloud of ground state atoms

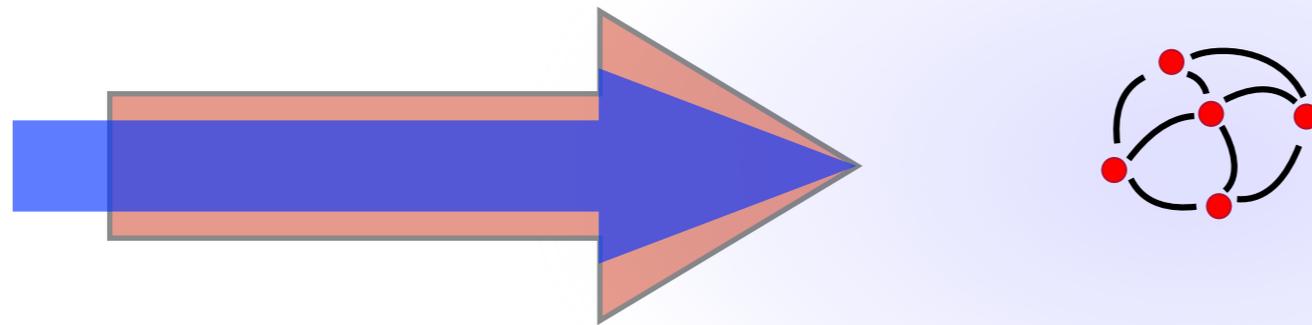
Ultra-cold atoms in magneto optical trap at T around $150 \mu\text{K}$

(assume positions of atoms to be stationary on timescale of the experiment of a few microseconds \rightarrow **frozen gas approximation**)



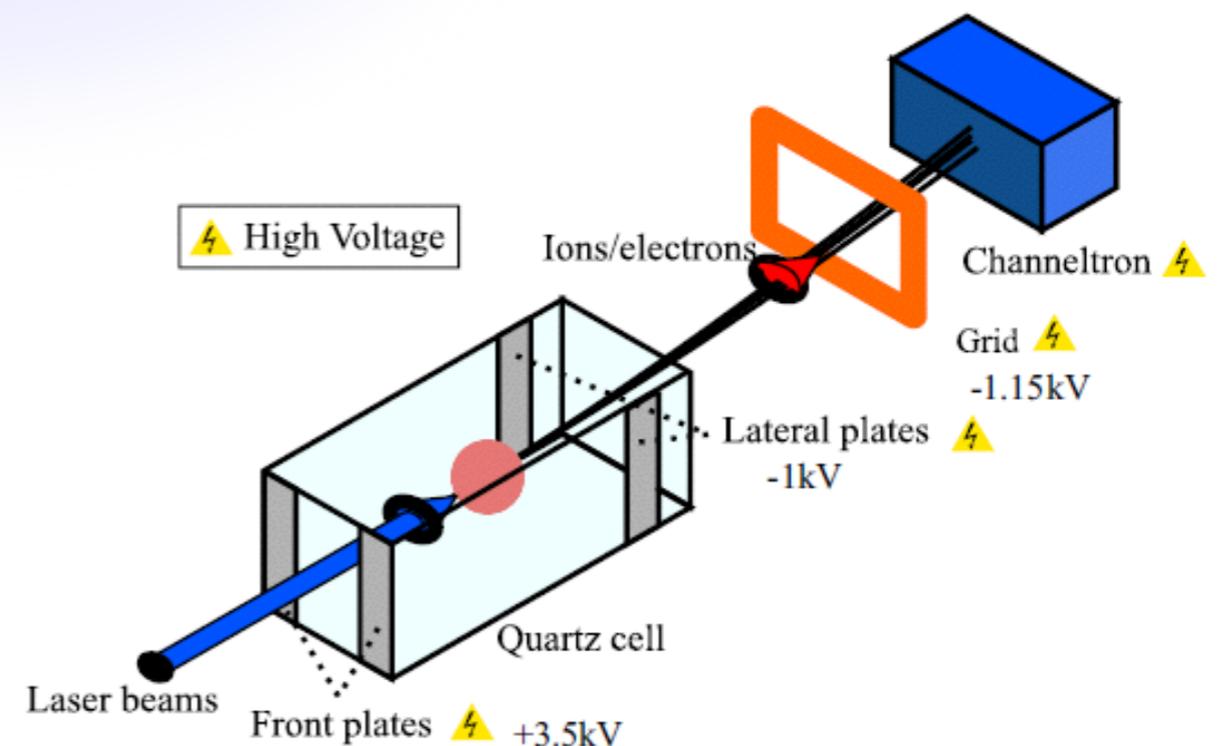
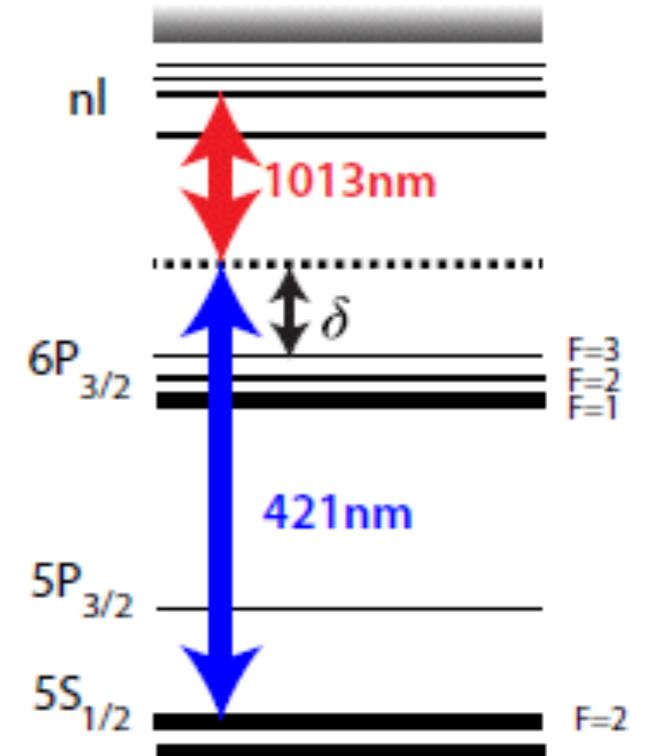
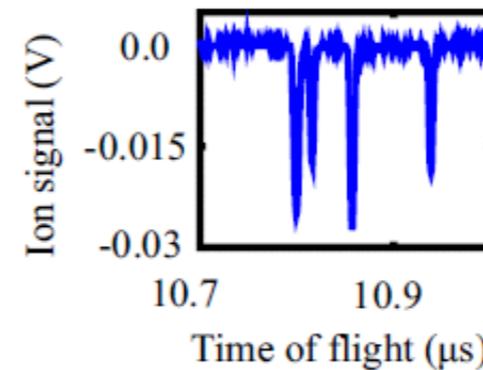
Cold cloud of ground state atoms

- in experiments reported here: **70S (repulsive interaction) Rb atoms**
- two-photon excitation scheme with Rabi frequencies up to 500 kHz



- laser line-width around 500 kHz \rightarrow coherence times around $0.5 \mu\text{s}$
- **size of cloud 20-300 μm with up to 3,000,000 atoms**; possibility of focusing one beam tightly to realize quasi 1D geometry

Detection efficiency $\sim 40 \pm 10\%$.



Cold cloud of ground state atoms

Lifetime: $\sim n^3$

$n=70 \sim 150 \mu\text{s}$

Polarizability $\sim n^7$

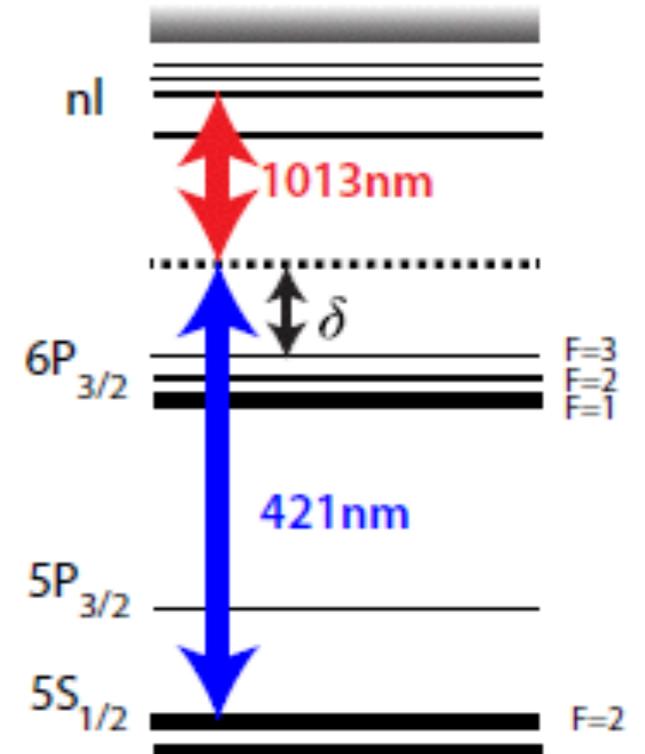
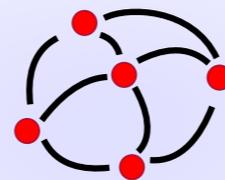
van der Waals C_6 coefficient $\sim n^{11}$

Interaction

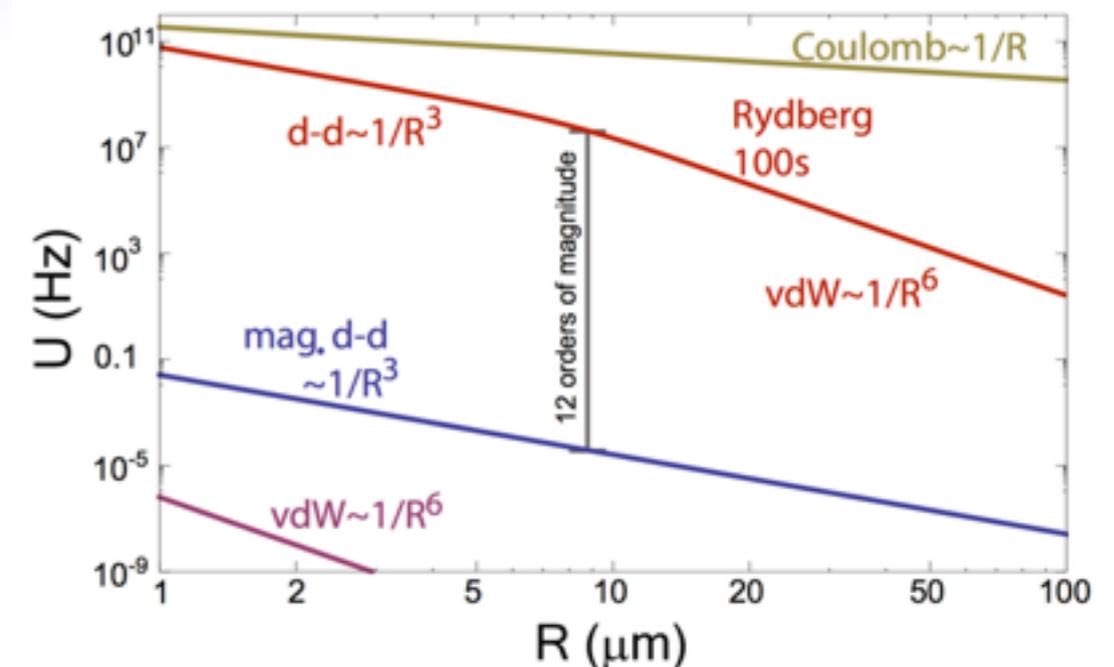
$$V_{i,k} = \frac{C_6}{|r_i - r_k|^6}$$

→ strong van-der-Waals or dipole-dipole interaction; **orders of magnitude larger** than contact interaction in ultra-cold gases (**up to GHz at micrometer distances**)!

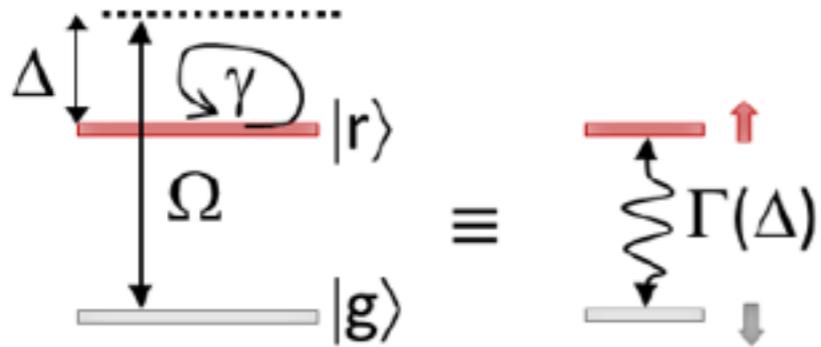
Rydberg atom



M. Saffman, T. G. Walker, and K. Mølmer, Rev. Mod. Phys. 82, 2313

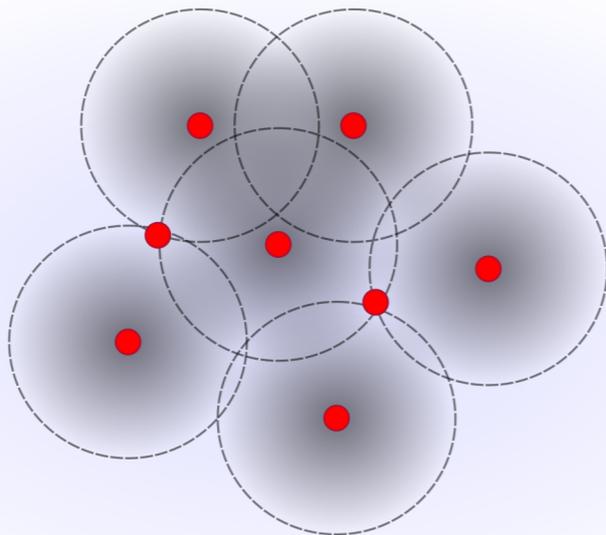


Kinetic constraints in Rydberg gases



In the presence of Rydberg-Rydberg interactions, Γ now depends on the interparticle distance and on the detuning Δ

$$\partial_\tau \mu = \sum_k \Gamma_k (\sigma_x^k \mu \sigma_x^k - \mu)$$



$$V(|r_i - r_j|)$$

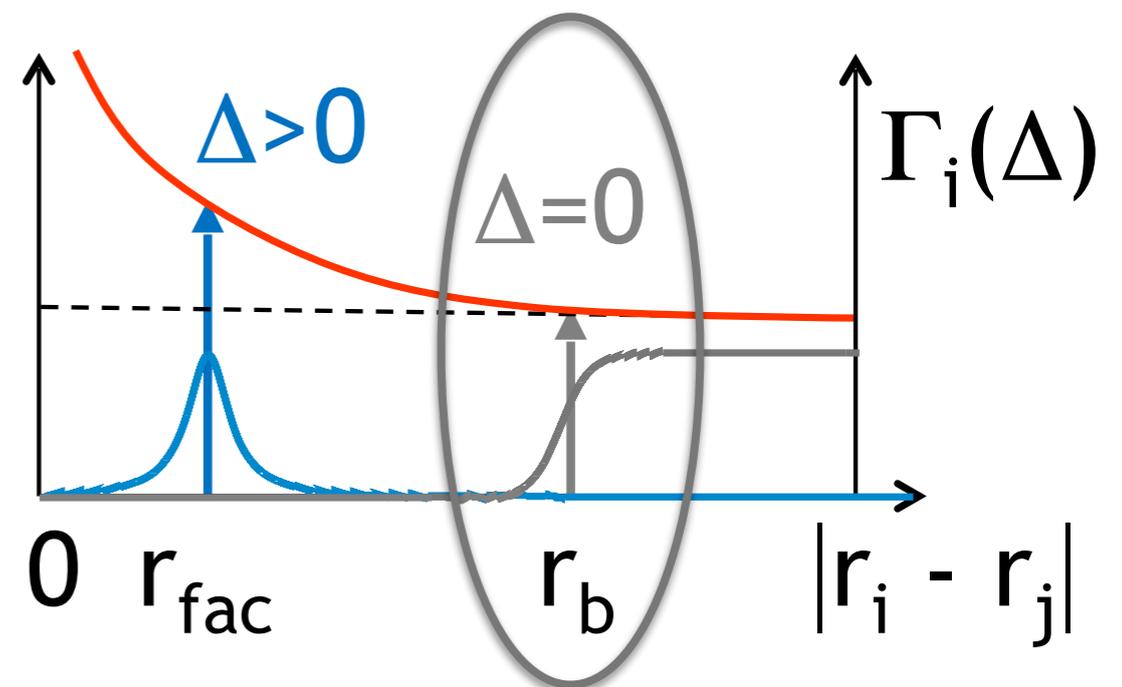
Semiclassical approximation (incoherent excitation):

Rabi oscillations with $\Omega \rightarrow$

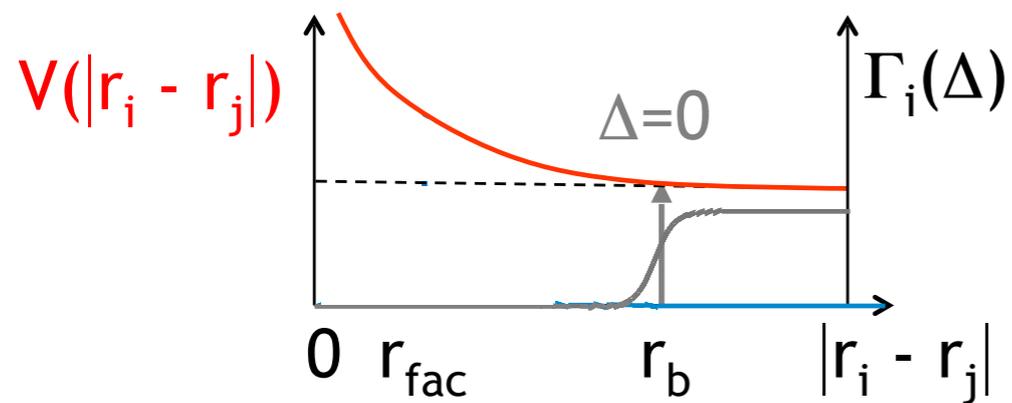
Spin flips with rate

$$\Gamma_i(\Delta) = \frac{\Omega^2}{2\gamma} \left[1 + \left(\frac{\Delta - \frac{1}{\hbar} \sum_{i \neq j} V_{ij} n_j}{\gamma} \right)^2 \right]^{-1}$$

if $\gamma \gg \Omega$

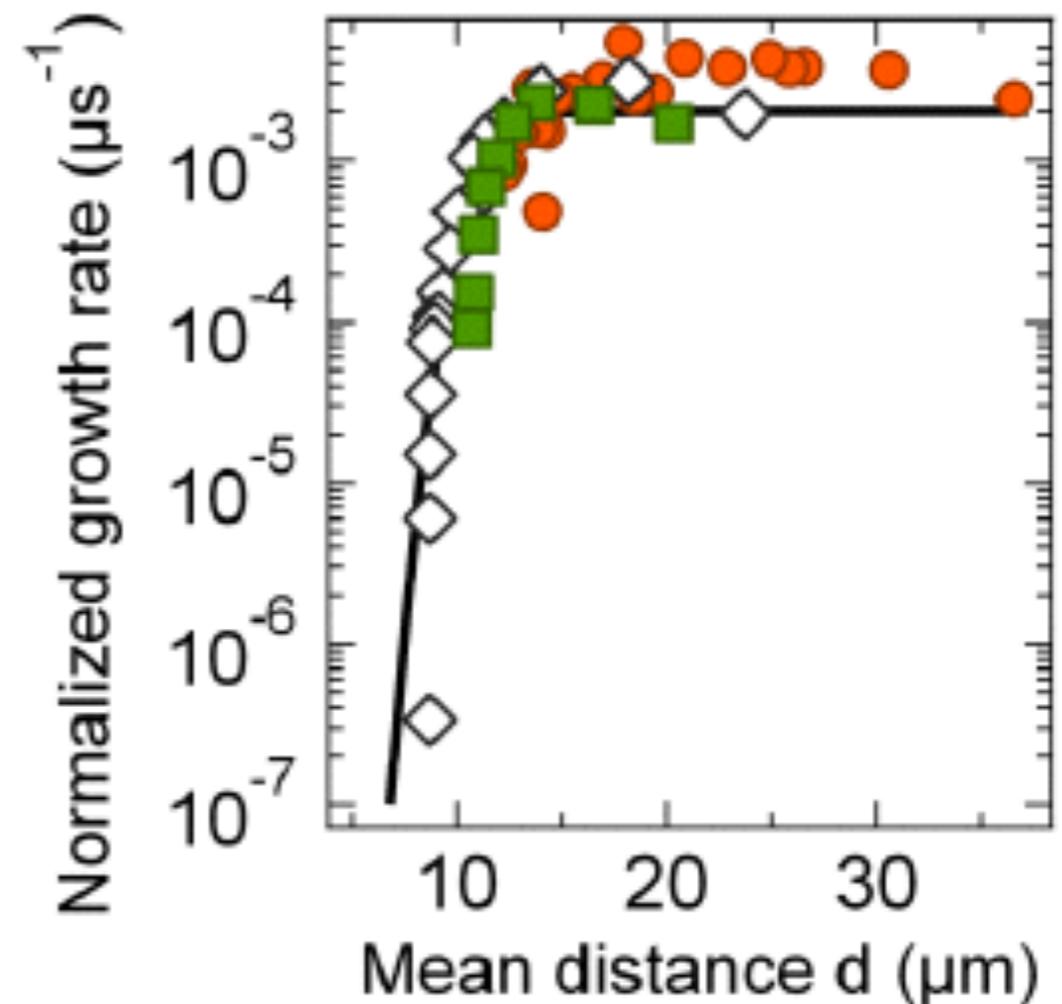
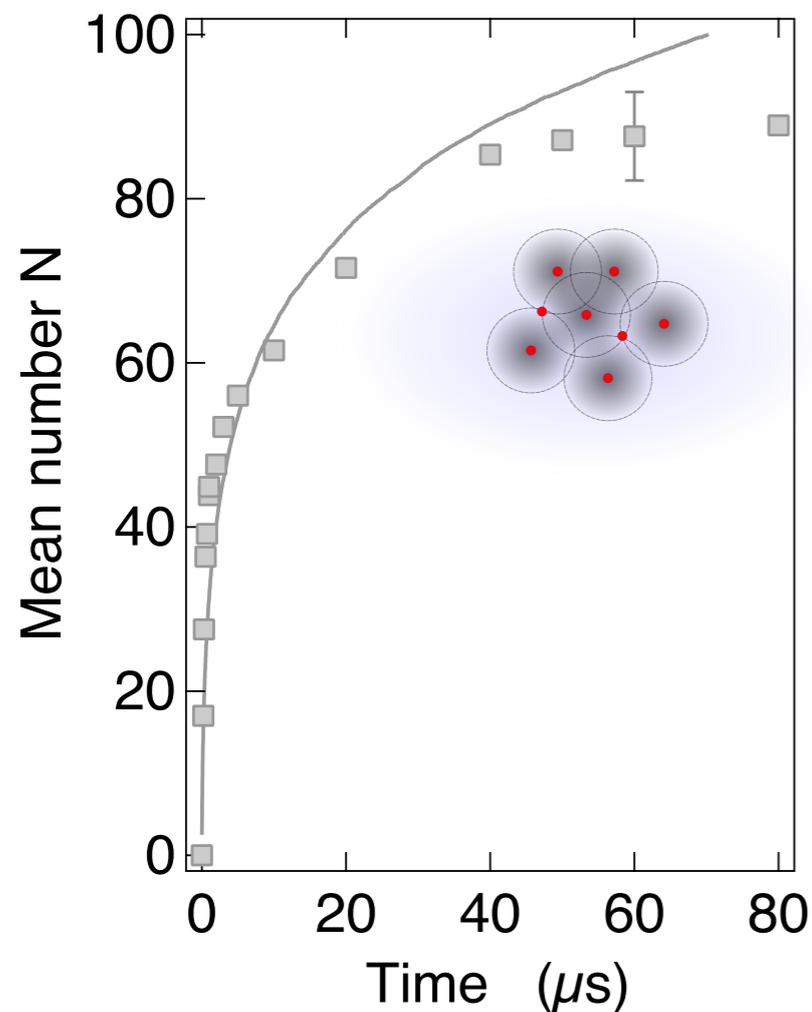


Blockade constraint: anti-correlated dynamics



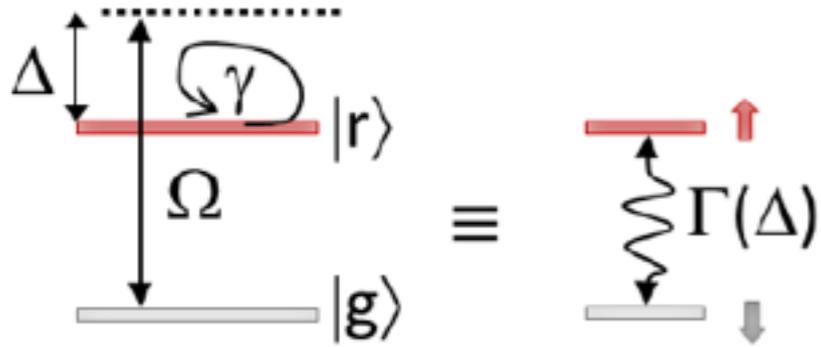
$$\Gamma_i(N) = \frac{\Omega^2}{2\gamma} \left[1 + \left(\frac{\frac{1}{\hbar} \sum_{i \neq j} V_{ij} n_j}{\gamma} \right)^2 \right]^{-1}$$

$$V_{i,k} = \frac{C_6}{|r_i - r_k|^6}$$



- growth rate per atom only depends on mean distance d between excited atoms

Facilitation constraint: correlated dynamics



In the presence of Rydberg-Rydberg interactions, Γ now depends on the interparticle distance and on the detuning Δ

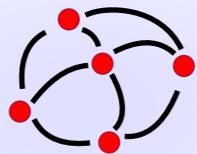
Semiclassical approximation (incoherent excitation):

Rabi oscillations with $\Omega \rightarrow$

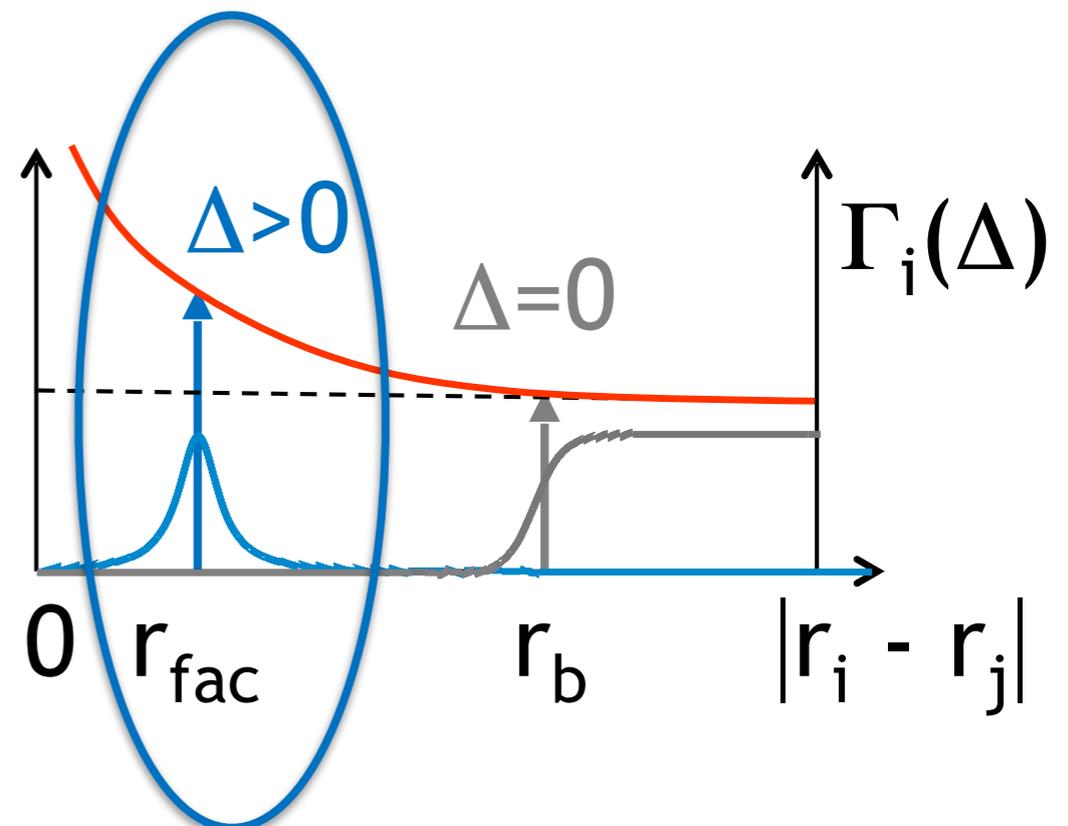
Spin flips with rate

$$\Gamma_i(\Delta) = \frac{\Omega^2}{2\gamma} \left[1 + \left(\frac{\Delta - \frac{1}{\hbar} \sum_{i \neq j} V_{ij} n_j}{\gamma} \right)^2 \right]^{-1}$$

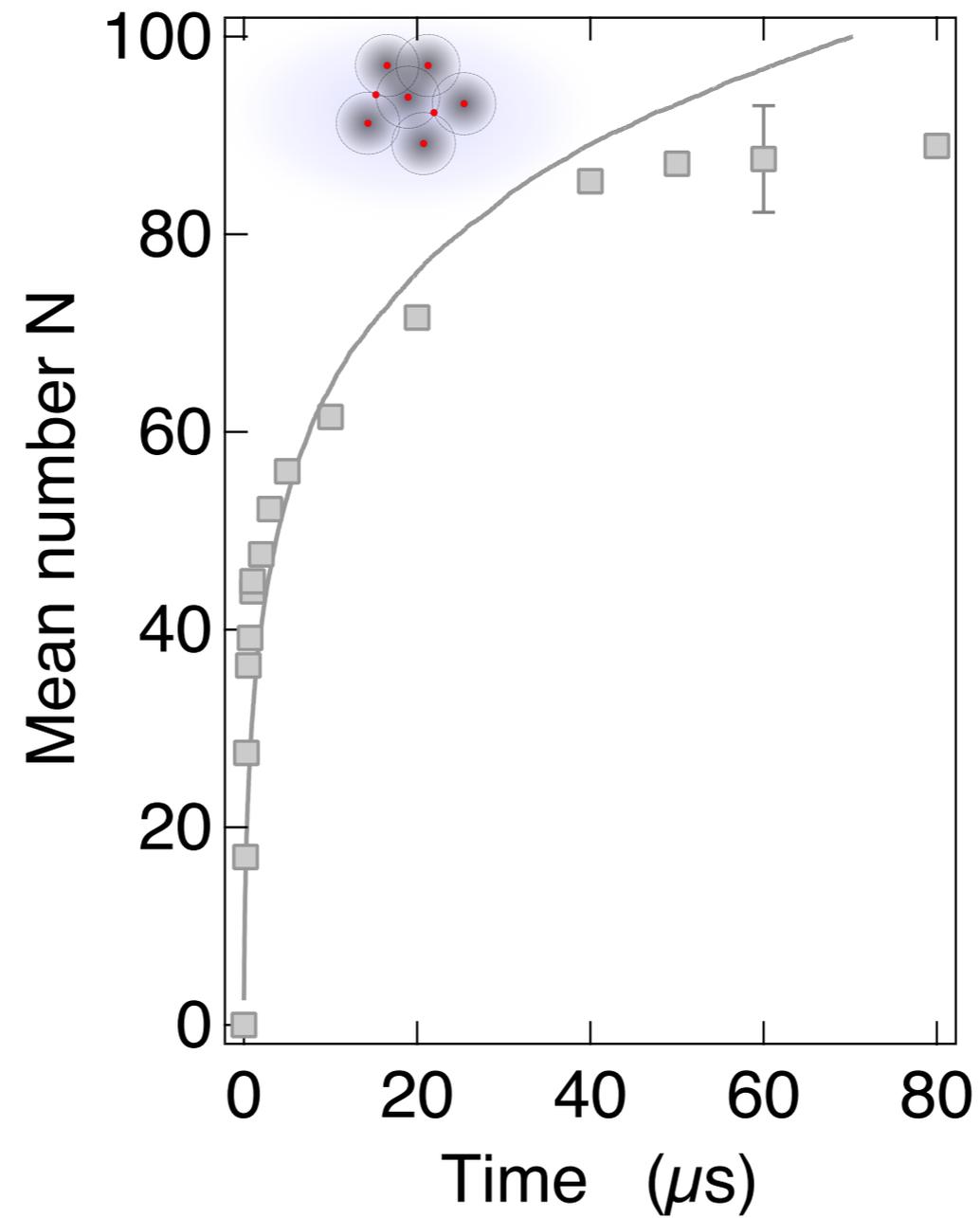
if $\gamma \gg \Omega$



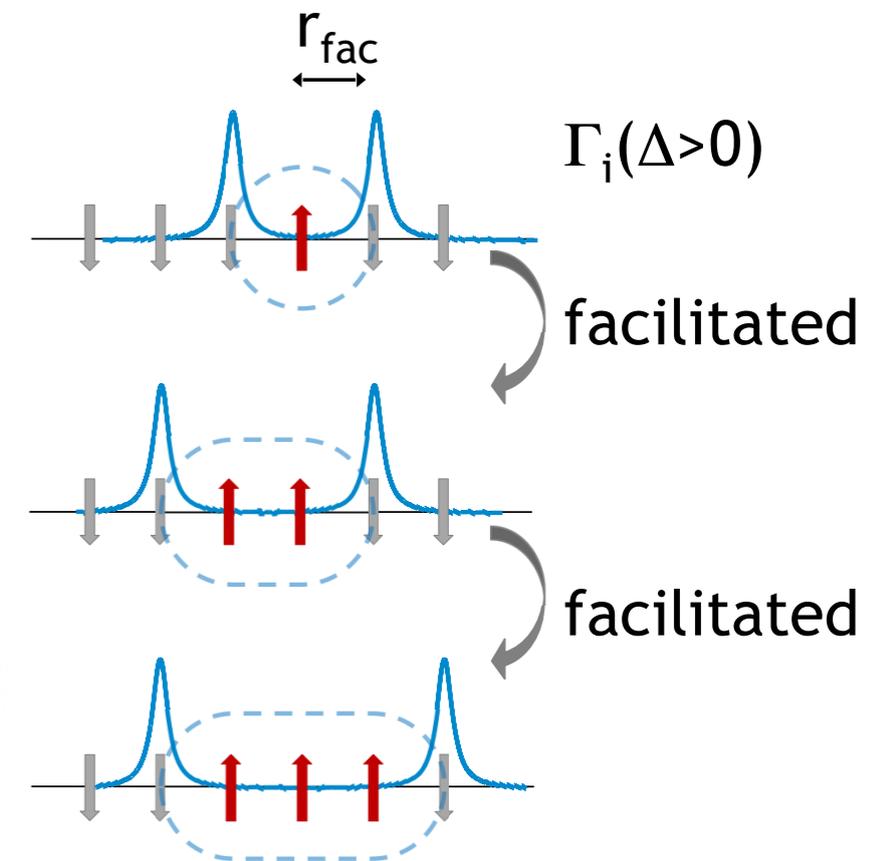
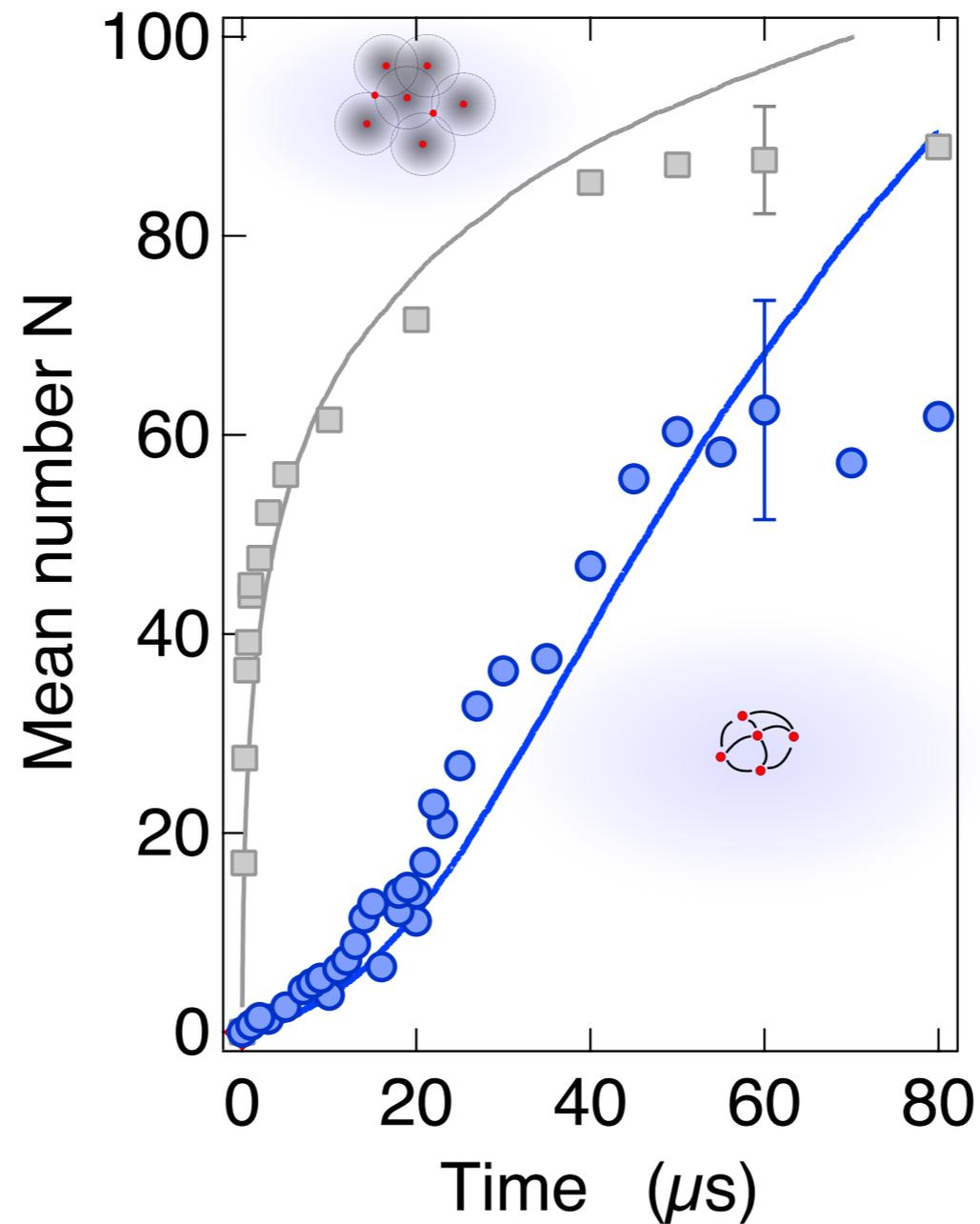
$V(|r_i - r_j|)$



Kinetic constraints in Rydberg gases

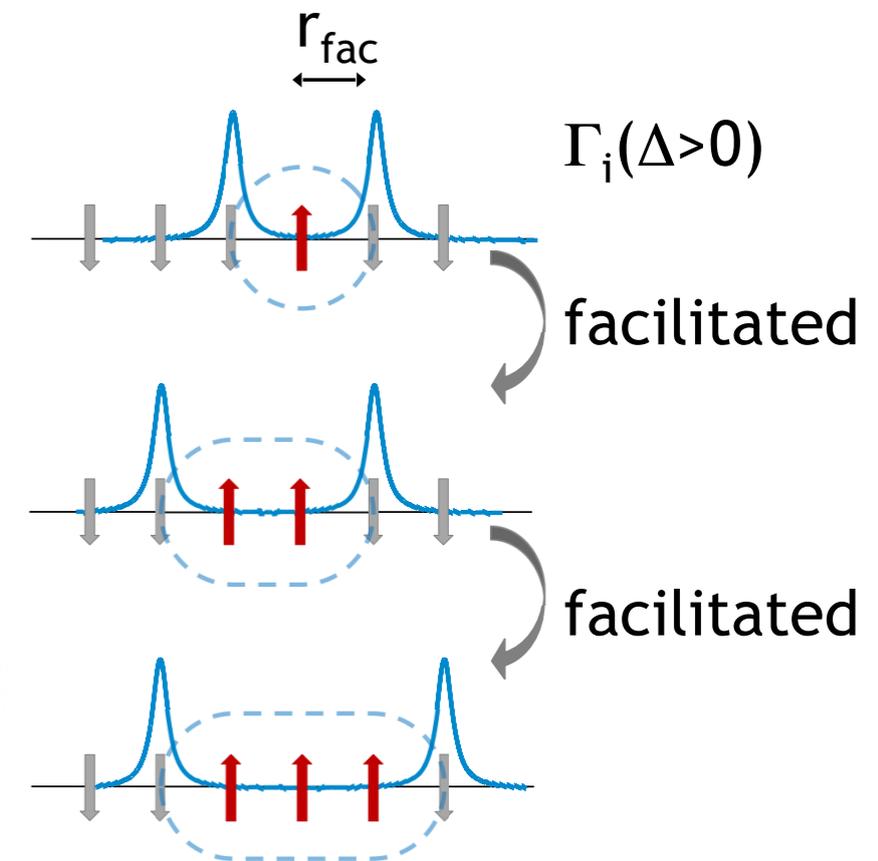
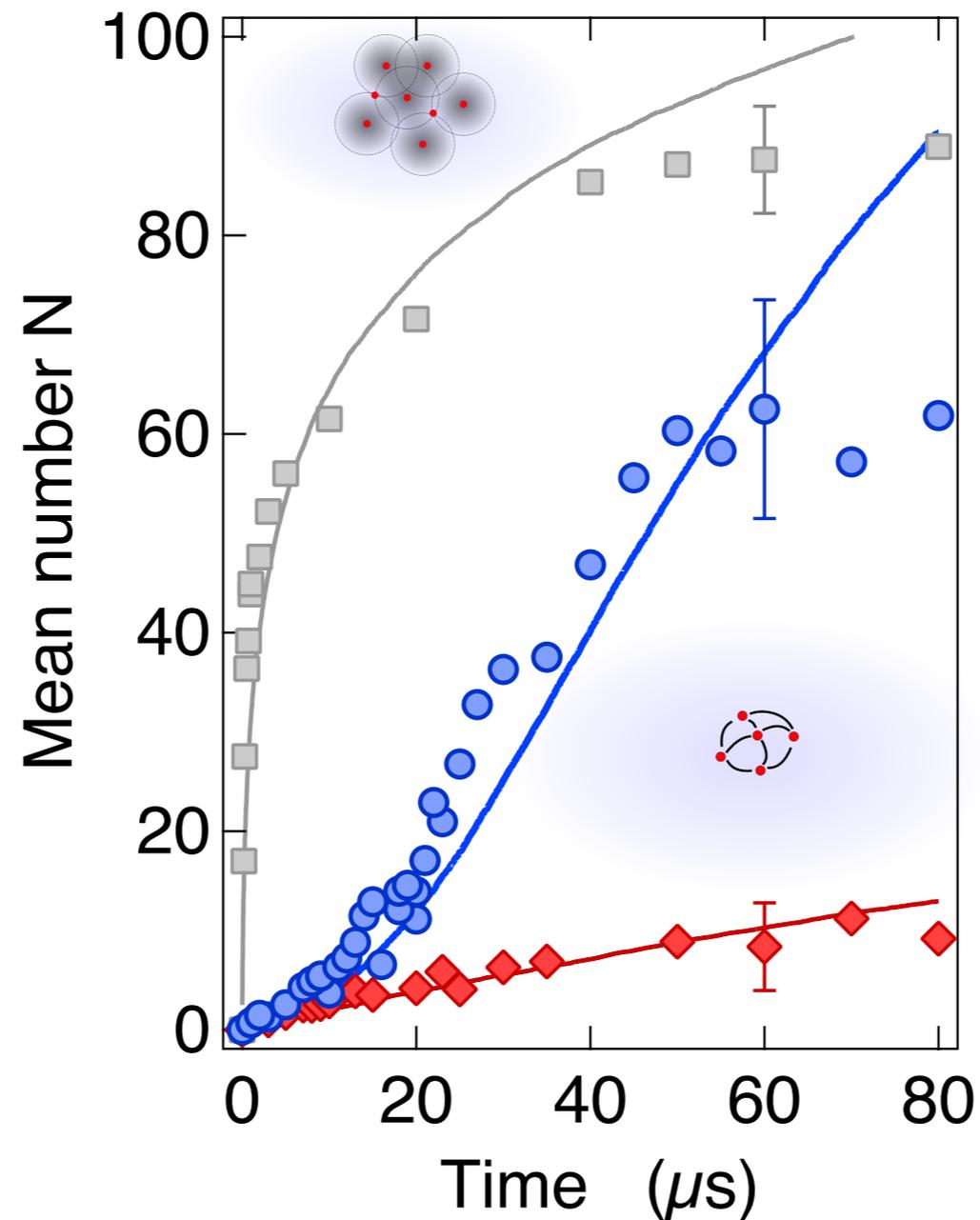


Facilitation constraint: correlated dynamics



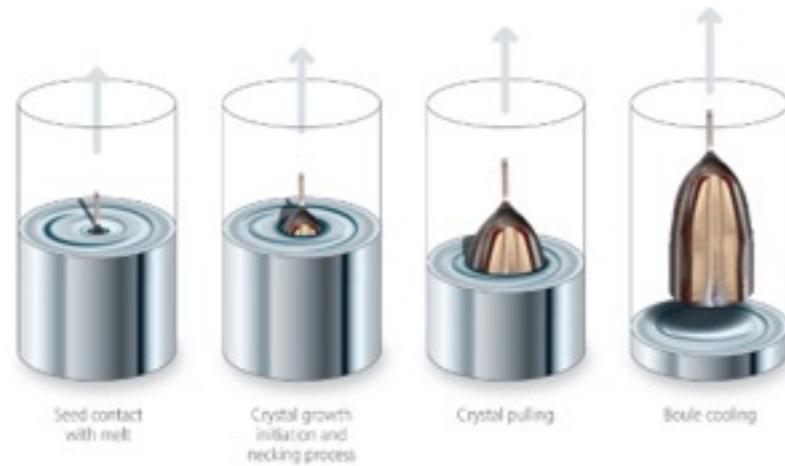
three stages:
 nucleation, facilitation
 and saturation reflect the
 nature of the constraint

Facilitation constraint: correlated dynamics



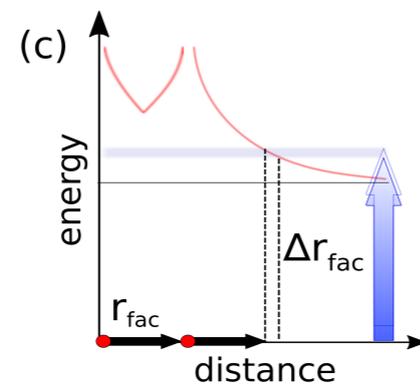
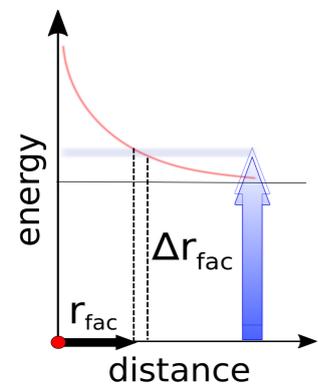
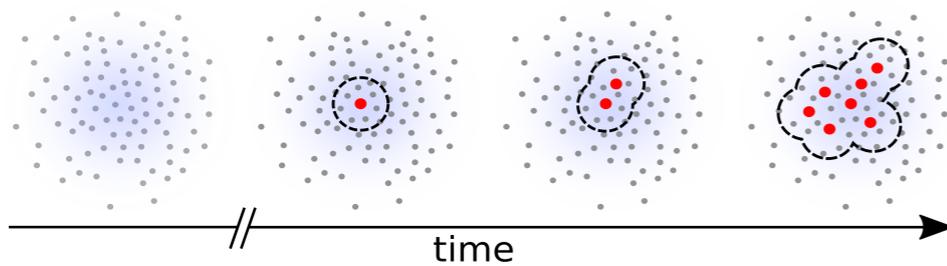
three stages:
 nucleation, facilitation
 and saturation reflect the
 nature of the constraint

Seeded avalanche process

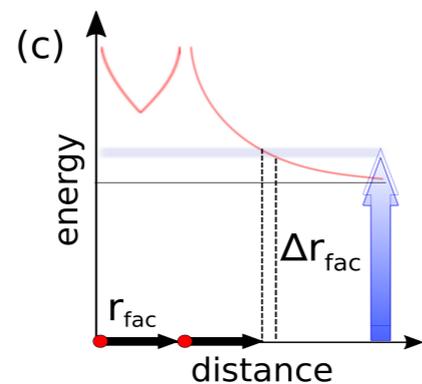
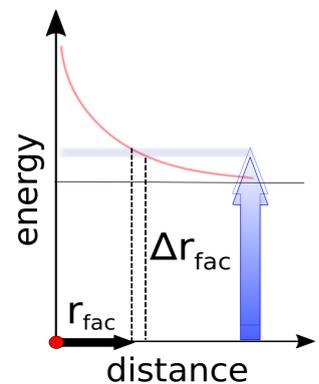
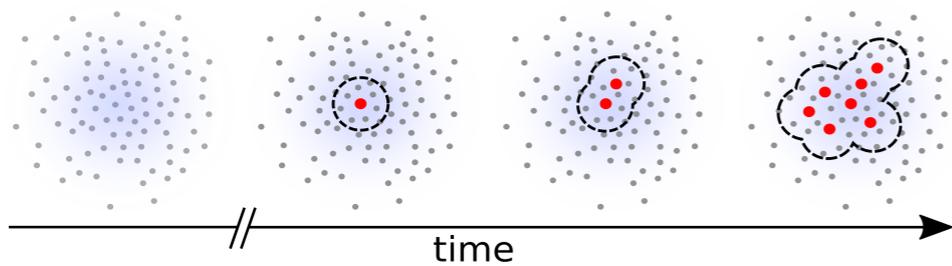
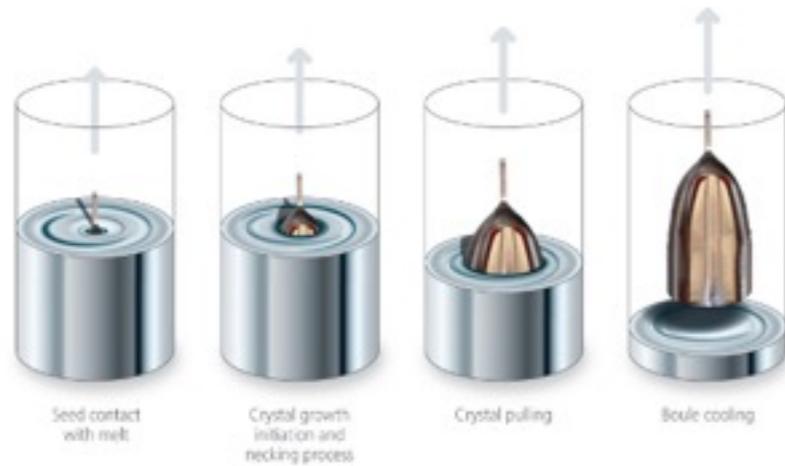


Probability to have at least one excitation

$$P(N > 0) = 1 - e^{-\langle N_{seed} \rangle}$$



Seeded avalanche process

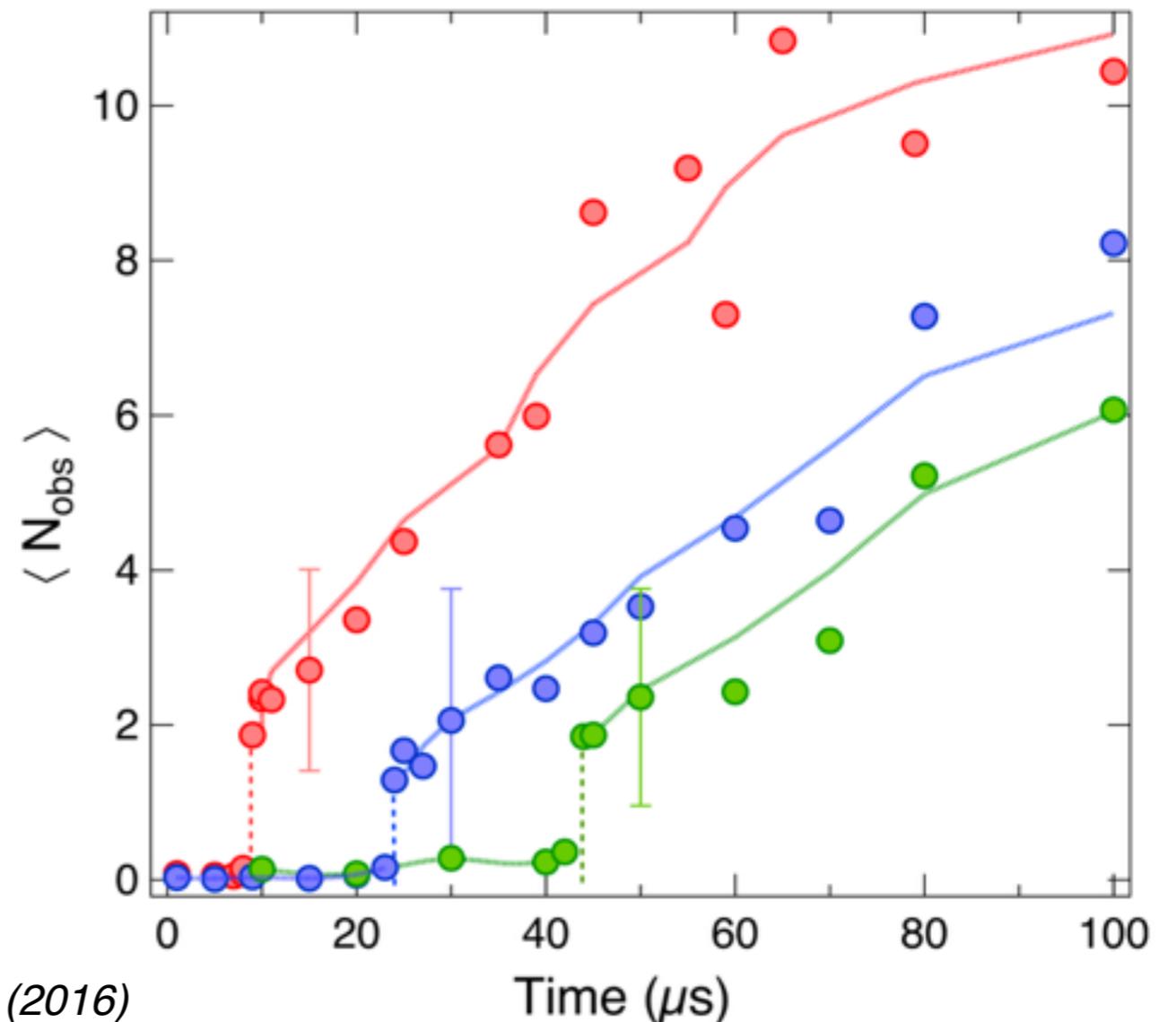


Probability to have at least one excitation

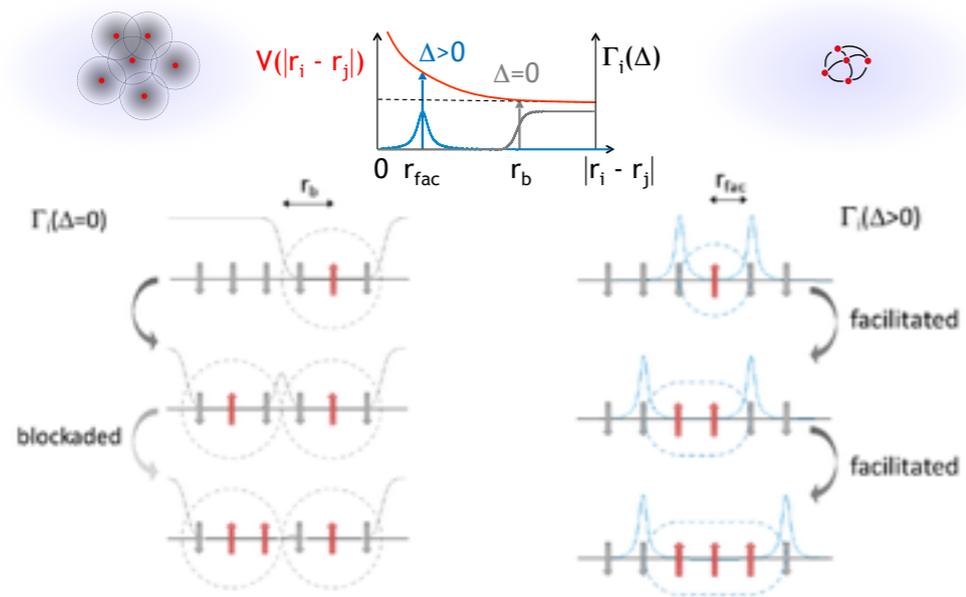
$$P(N > 0) = 1 - e^{-\langle N_{seed} \rangle}$$

Triggered the avalanche process:

- $t_{seed} = 10 \mu s$ (red)
- $t_{seed} = 25 \mu s$ (blue)
- $t_{seed} = 45 \mu s$ (green)



Towards the dissipative regime



τ_{life} (70S Rydberg state lifetime)



time

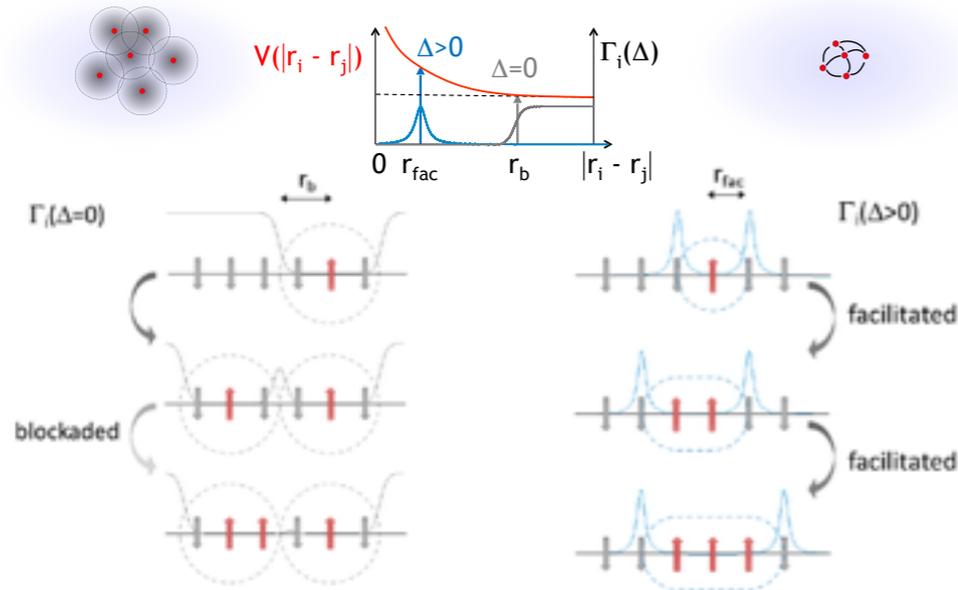
$t \ll \tau_{life}$

Non Dissipative Regime

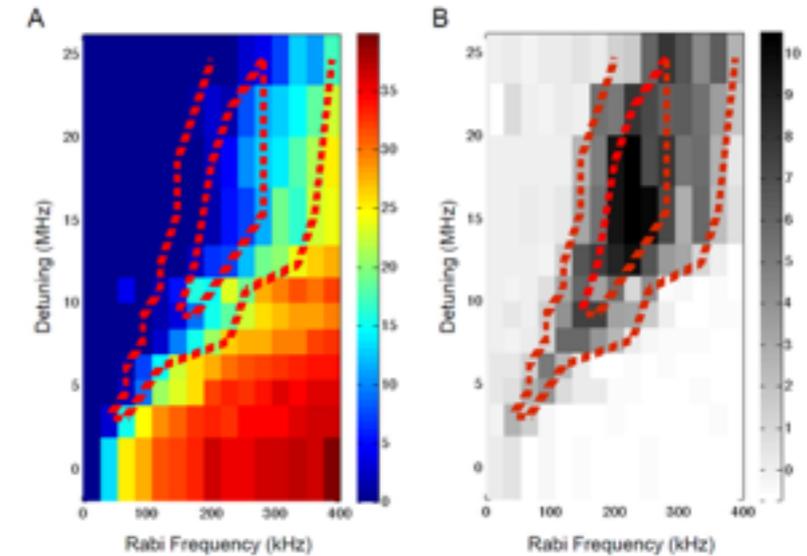
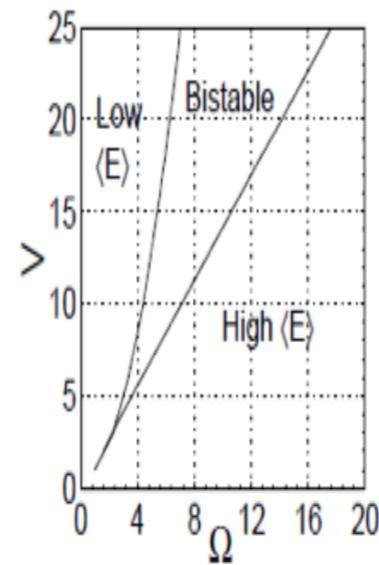
Towards the dissipative regime

Malossi, N. et al. *Phys. Rev. Lett.* **113**, 023006 (2014)

see also Schempp, H. et al. *Phys. Rev. Lett.* **112**, 013002 (2014)
and H. Weimer, *Phys. Rev. A* **91**, 063401 (2015)



τ_{life} (70S Rydberg state lifetime)



$t \ll \tau_{\text{life}}$

Non Dissipative Regime

$t \gg \tau_{\text{life}}$

Dissipative Regime

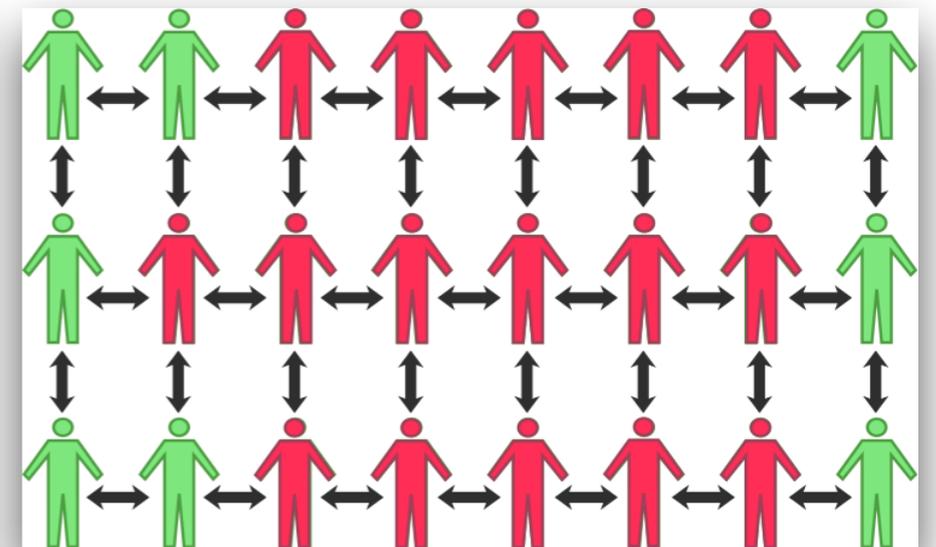
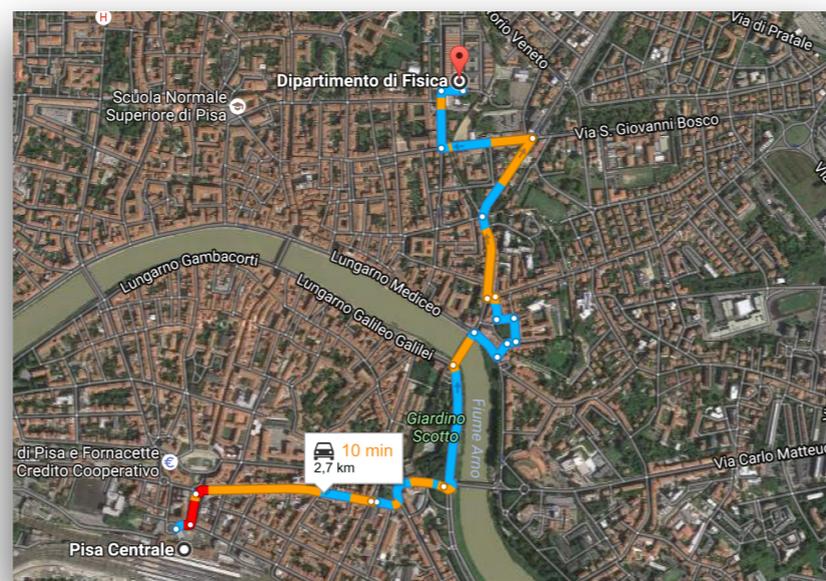
Percolation Process

The percolation is one of the simplest process showing a phase transition.

- **Isotropic Percolation** (any preferred direction)

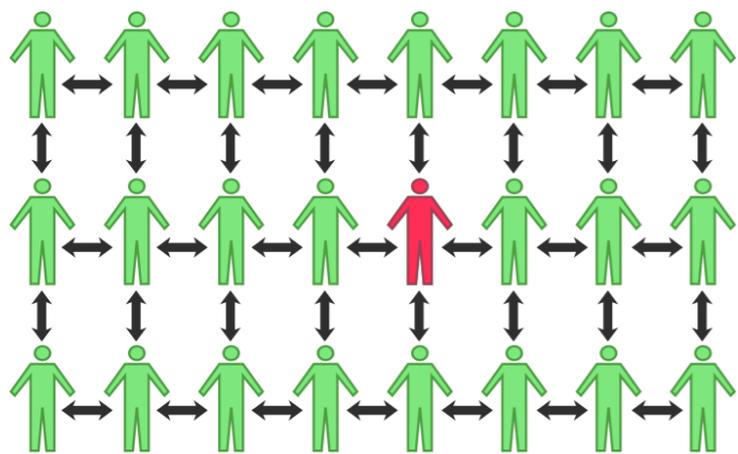


- **Directed Percolation (DP)** (one preferred direction in space or in time)

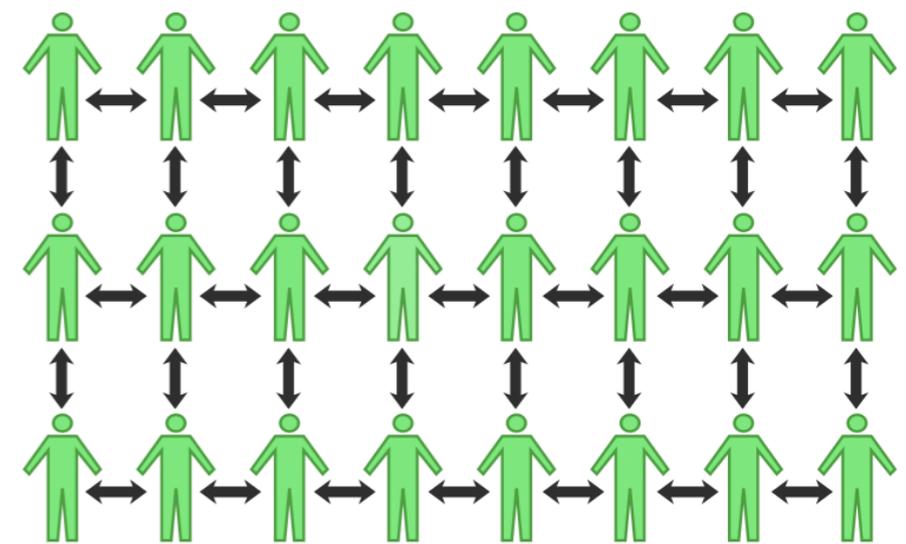


Infection spreading process (DP)

time

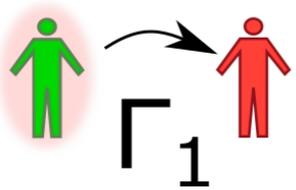


$$\Gamma_1 < \Gamma_2$$

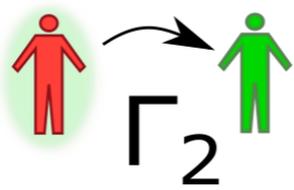


Different steady states depending on the rates Γ_1 and Γ_2

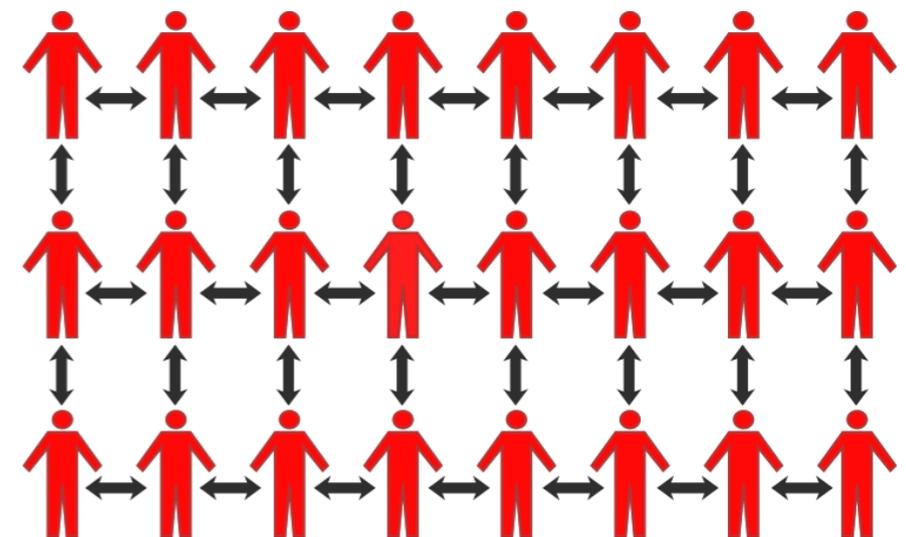
$$\Gamma_1 > \Gamma_2$$



Infection



Healing

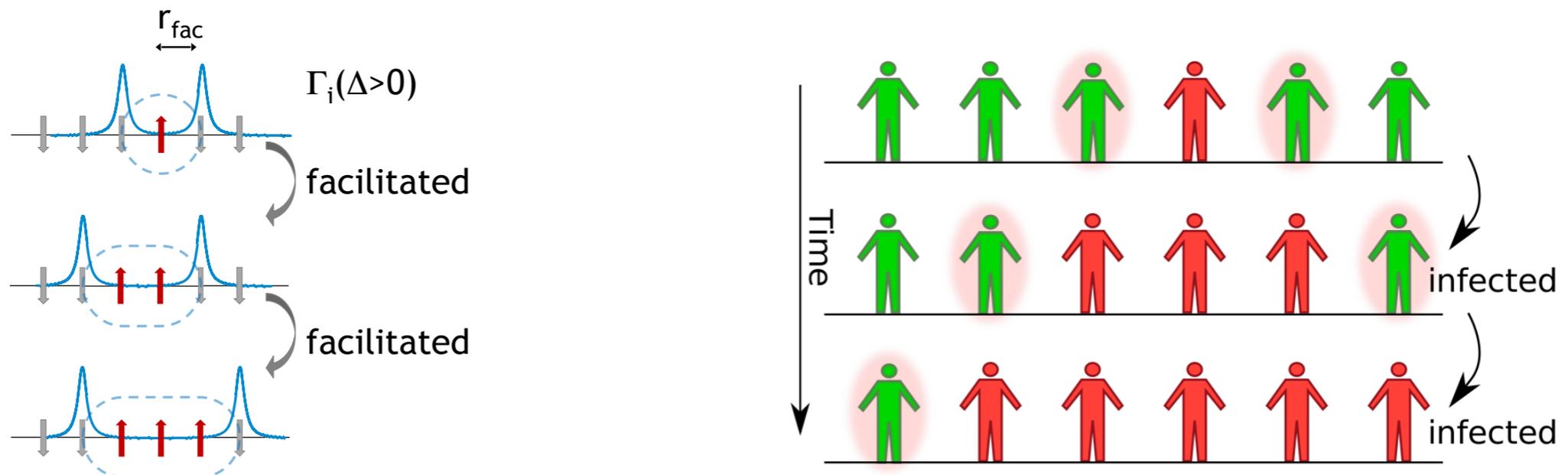


Facilitation in dissipative Regime

- Off resonant excitation to the Rydberg state and decay to the ground state mimic the basic infection mechanisms

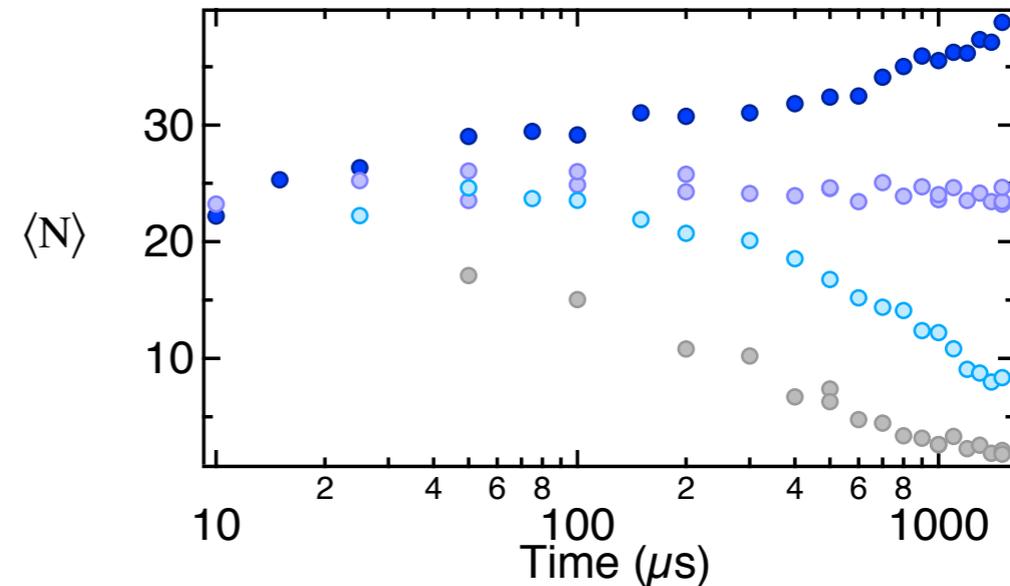
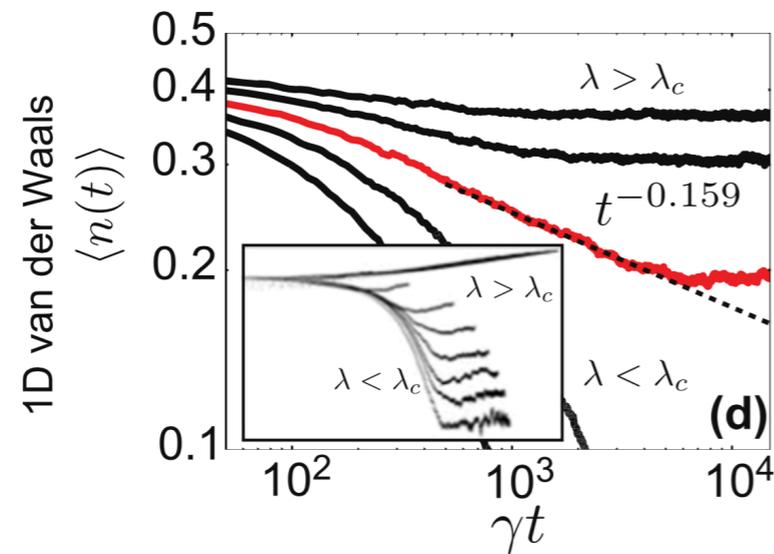


- Interaction dependence of the excitation rate $\Gamma(\Delta)$ simulate the connections between sink people



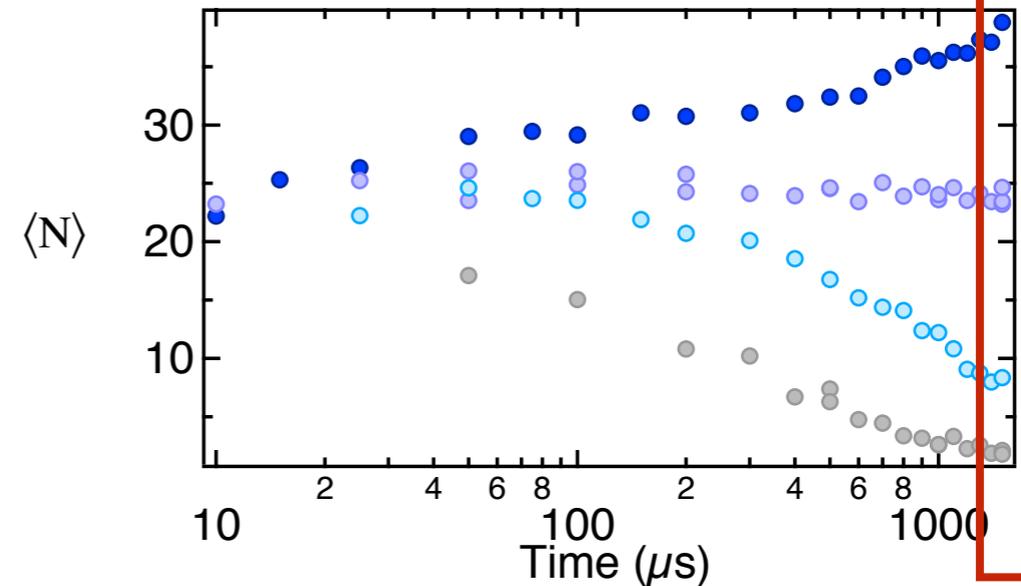
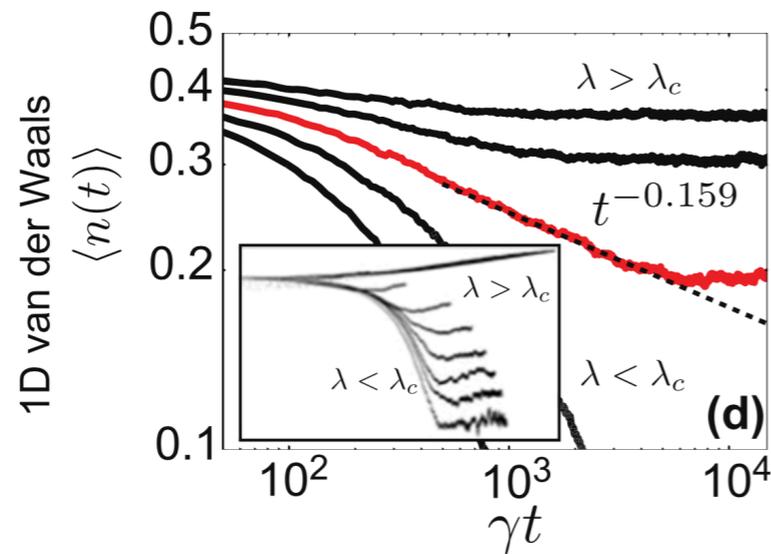
Preliminary Results of DP in 1D Rydberg atom system

- Time dependence with different excitation rates
- Off resonant excitation $\Delta/2\pi = +10$ MHz

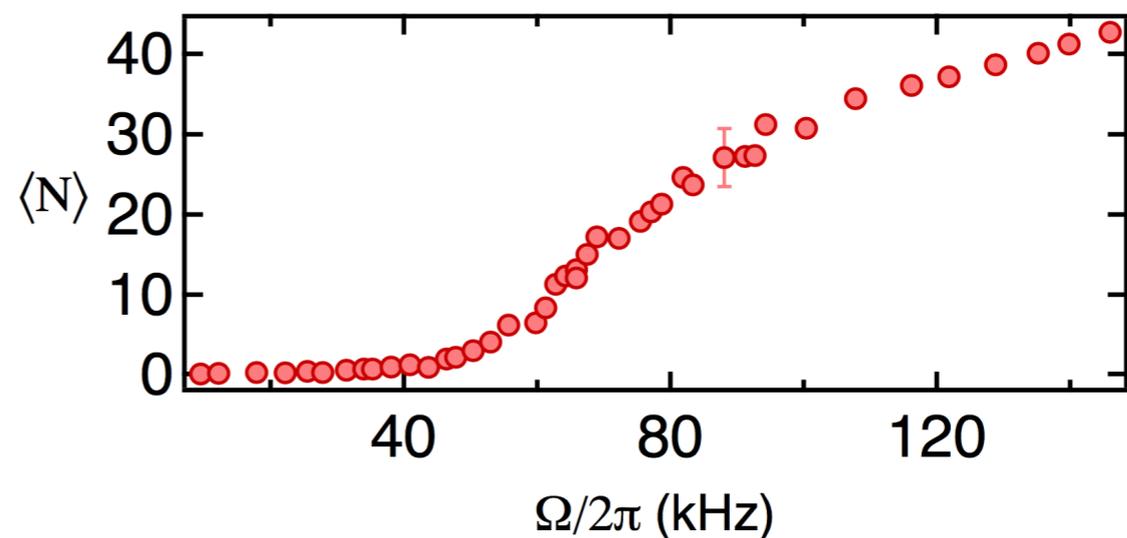
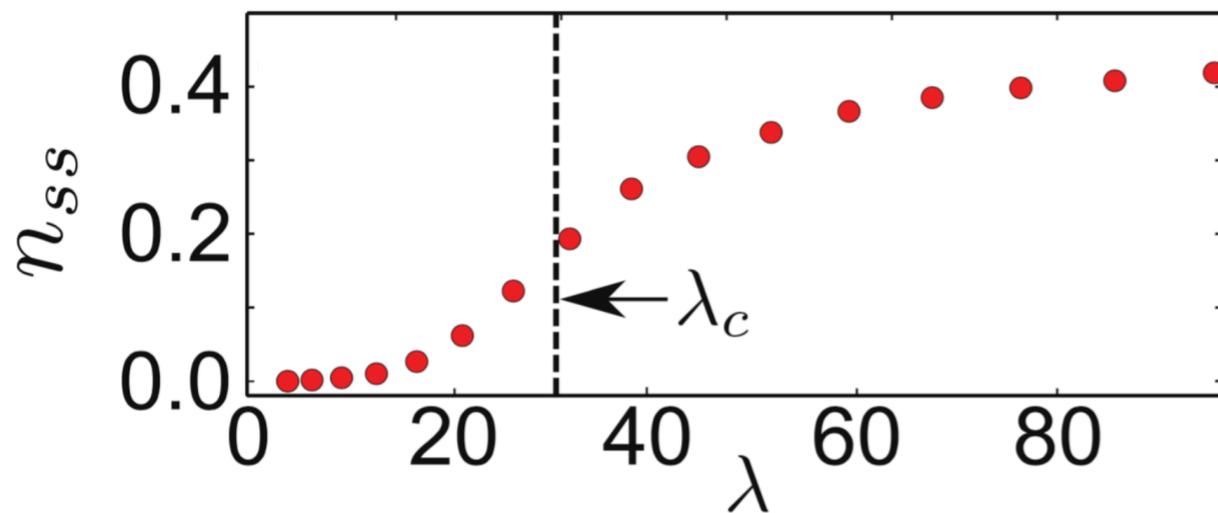


Preliminary Results of DP in 1D Rydberg atom system

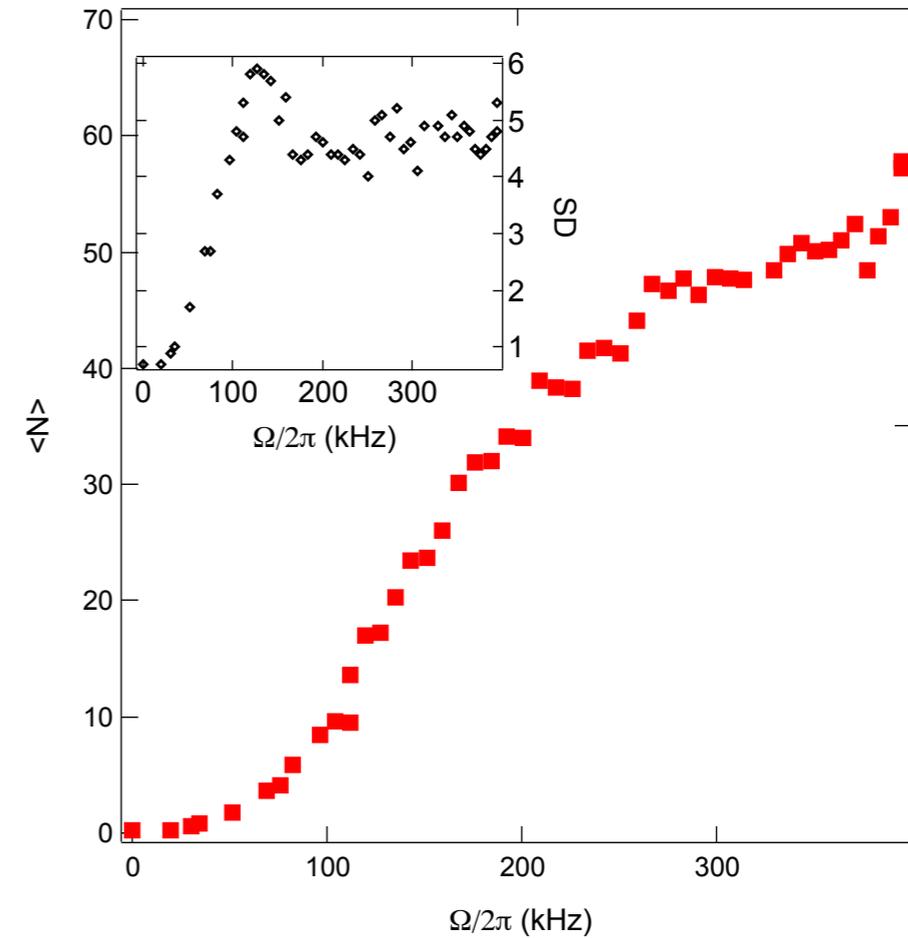
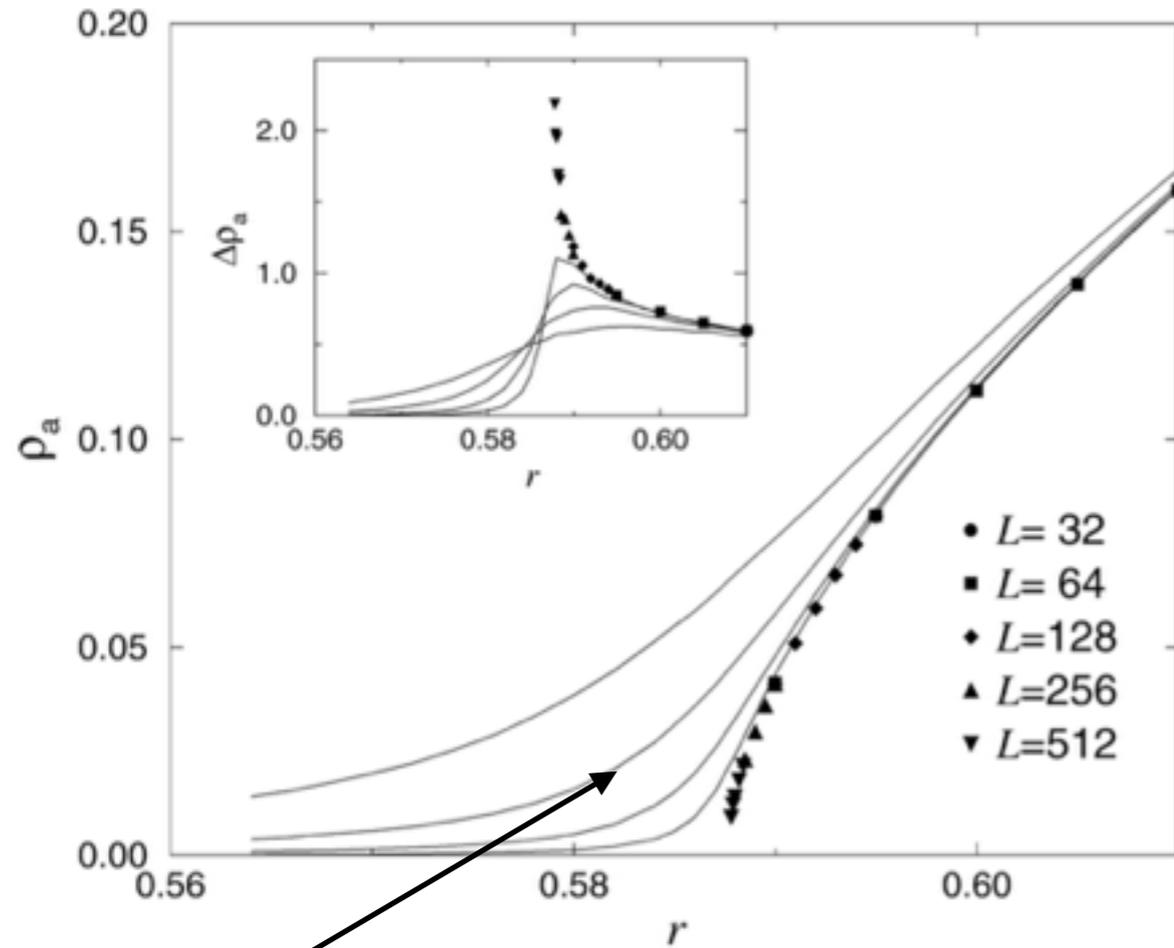
- Time dependence with different excitation rates
- Off resonant excitation $\Delta/2\pi = +10$ MHz



- Power dependence at 1500 μs excitation laser pulse \gg decay time (around 150 μs for the 70S)

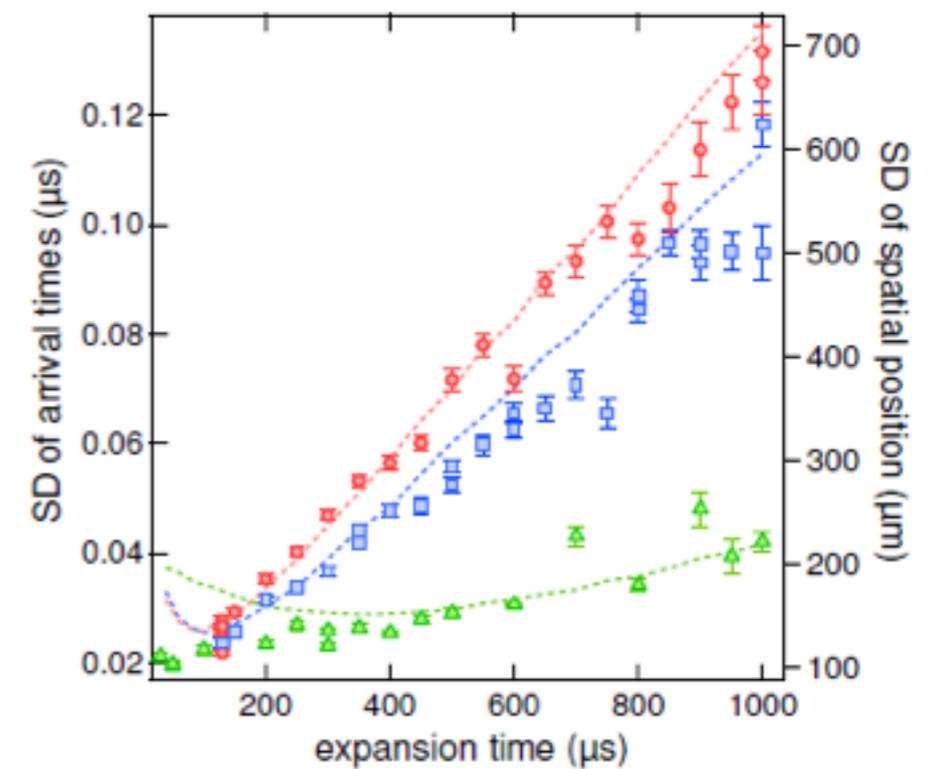
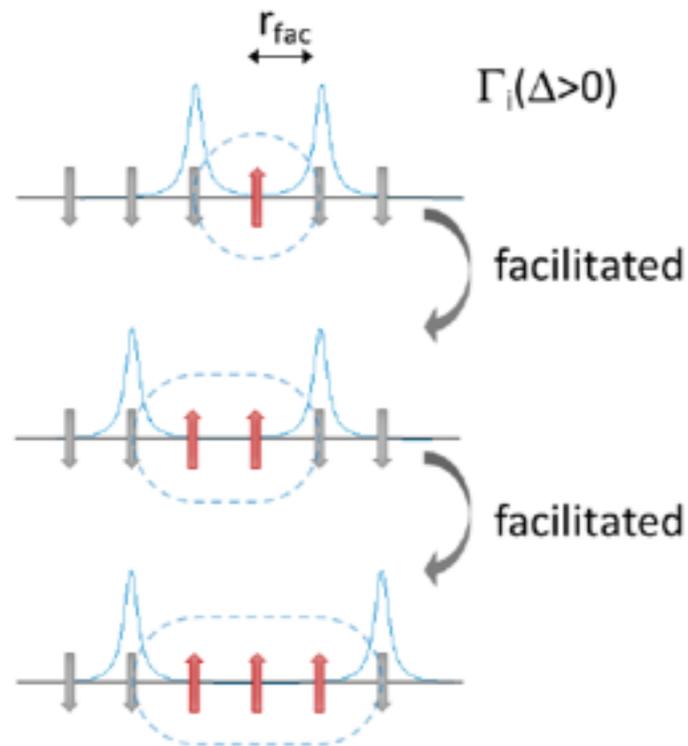
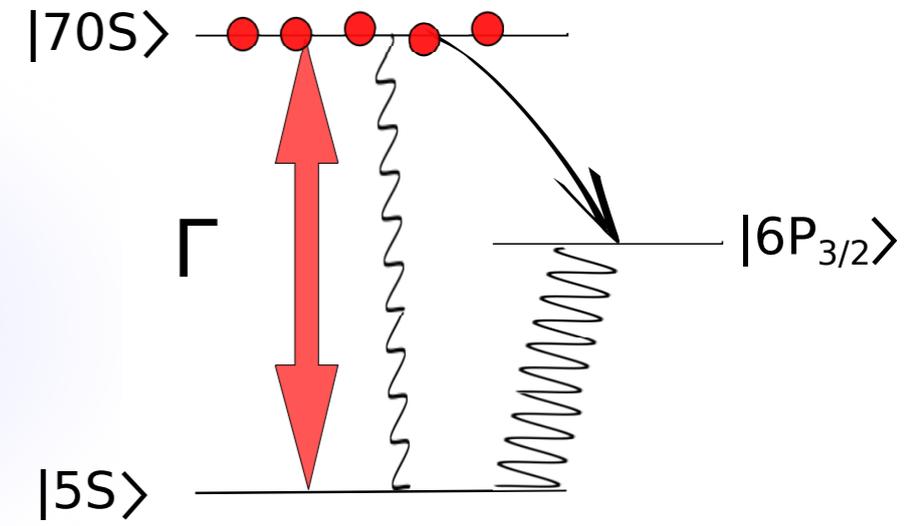
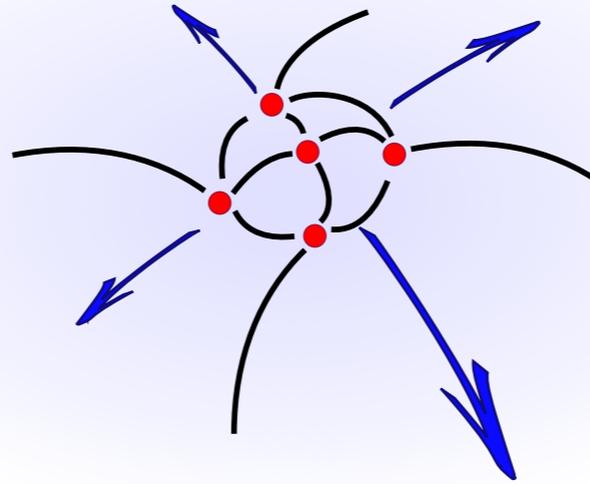
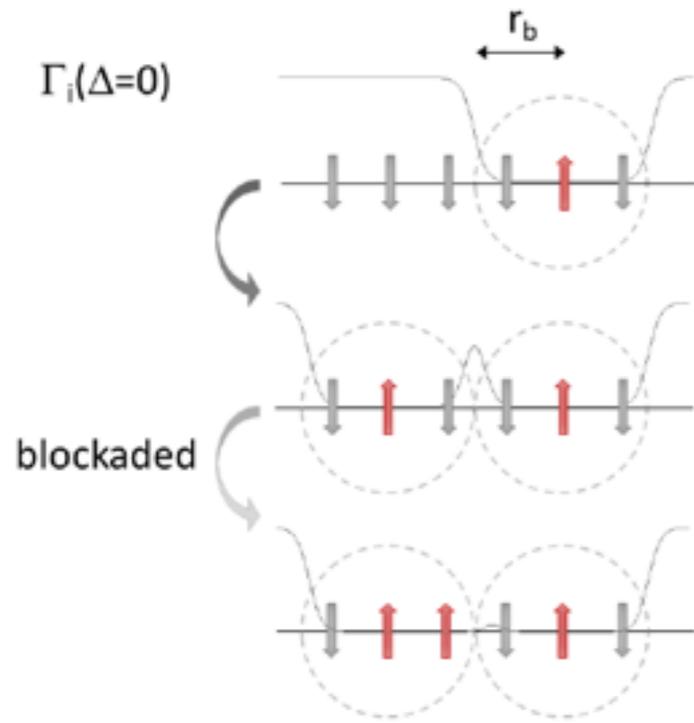


Preliminary Results of DP in 1D Rydberg atom system



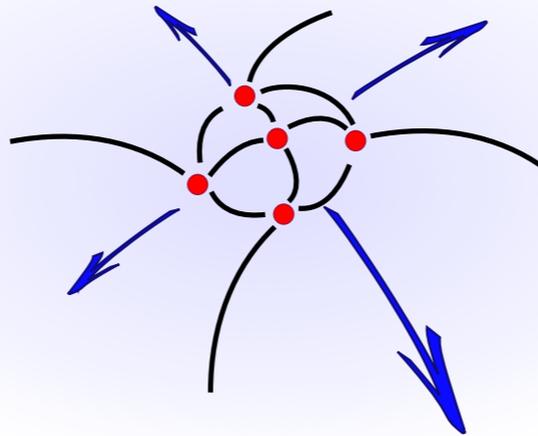
Perturbation of the model:
spontaneous generation of seeds

The Rydberg atom system



Conclusions

- ✓ **many body dynamics** can be studied in Rydberg gases: (anti-) correlated excitations
- ✓ interpretation in terms of **kinetic constraints and facilitation** in the non dissipative regime
- ✓ seeded **avalanche** mechanism
- ✓ **seeded avalanche** in the dissipative regime: absorbing state transition



Last PhD year plan



- **Use the de-excitation technique to make state selective measurement: lifetime of the target Rydberg state, coupling to different Rydberg states...**

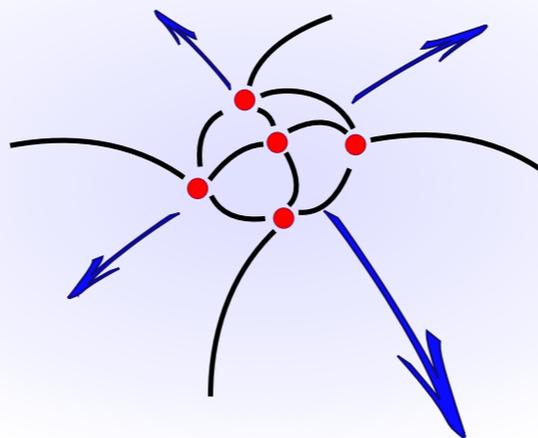
(The ionisation field does not distinguish states with $n > 40$)

- **Broad band controlled dissipation via the de-excitation technique**

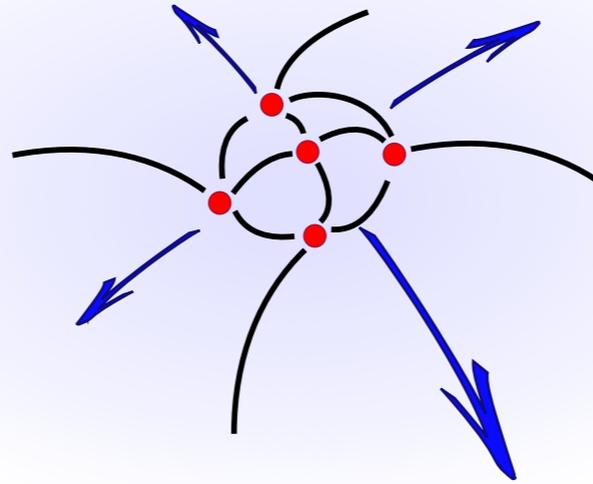
(The dissipative regime comes too late: vdW repulsion, Rydberg excitation migration)



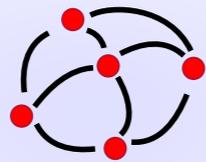
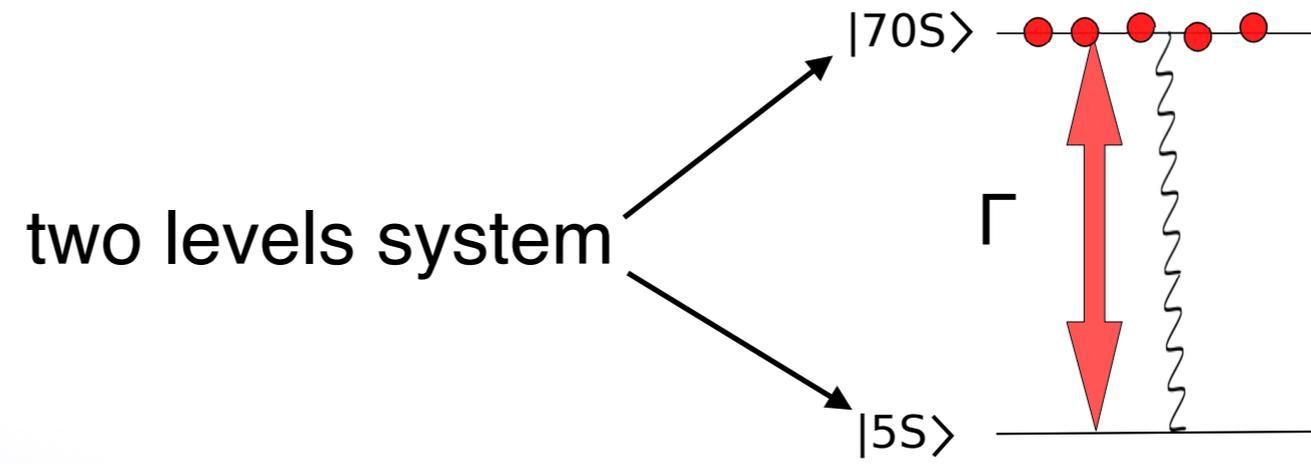
thanks for your attention



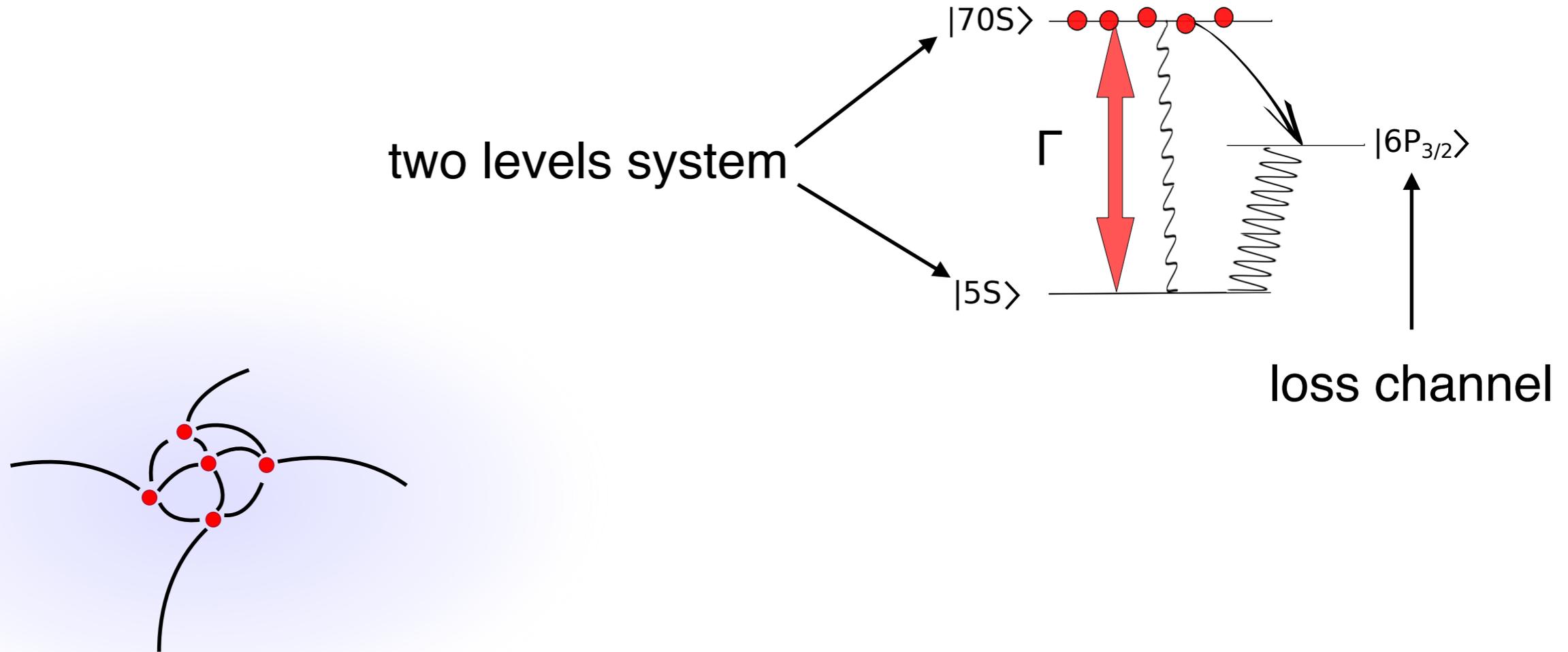
The Rydberg atom system



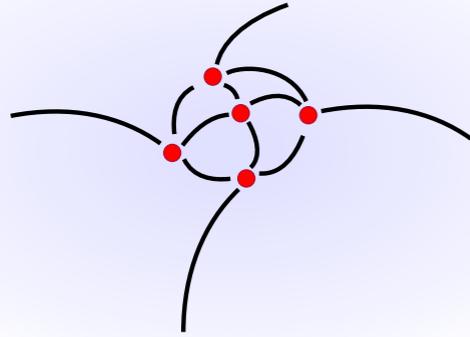
Open many body system



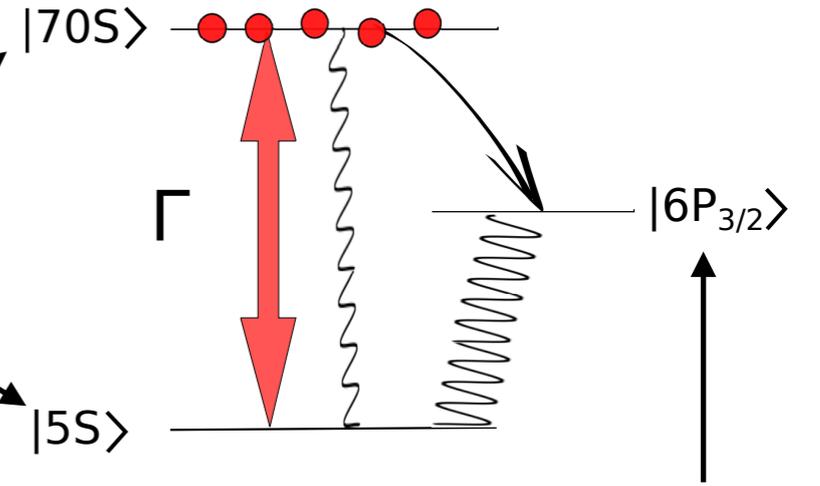
Open many body system



De-excitation process

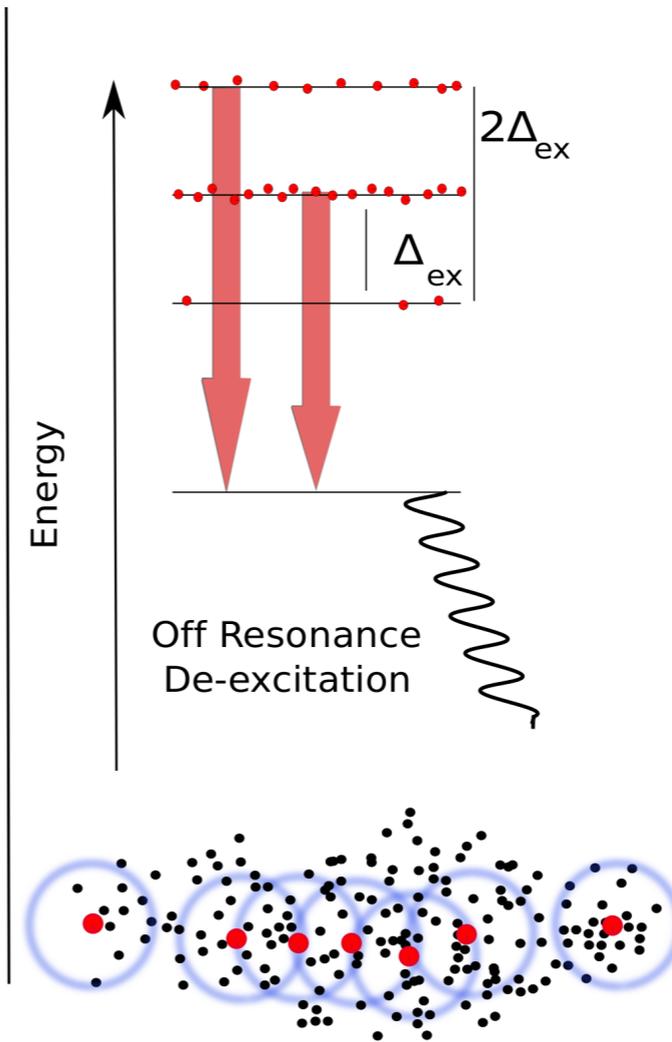
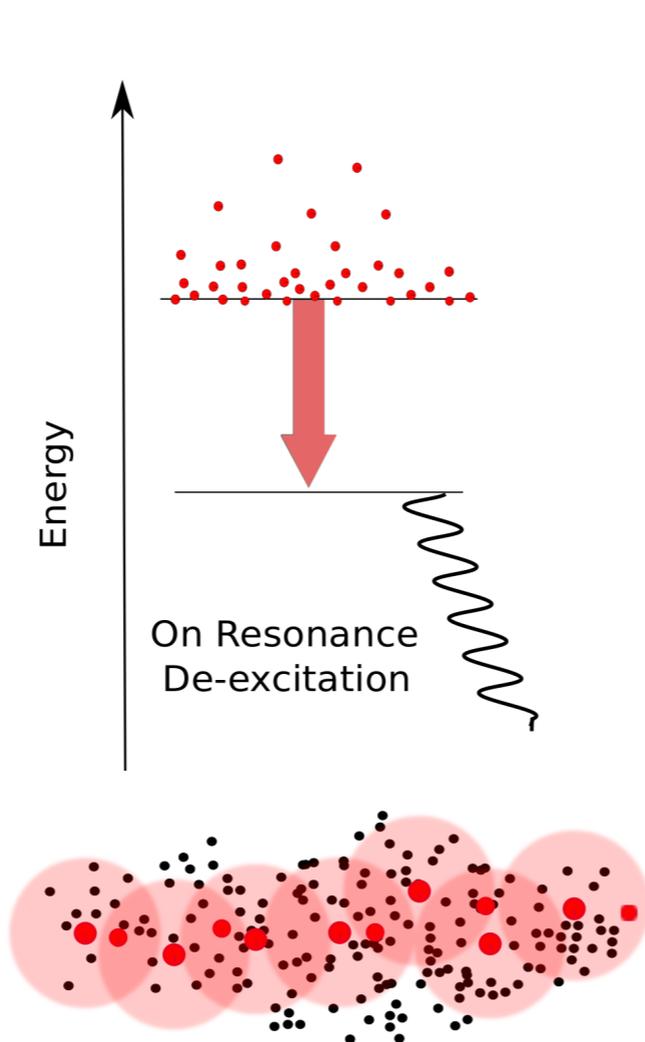
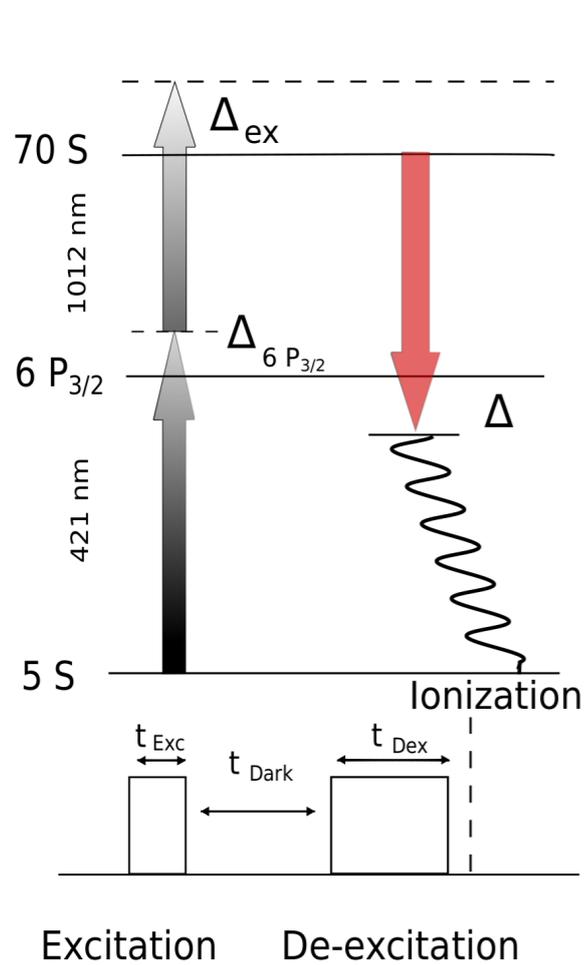


two levels system

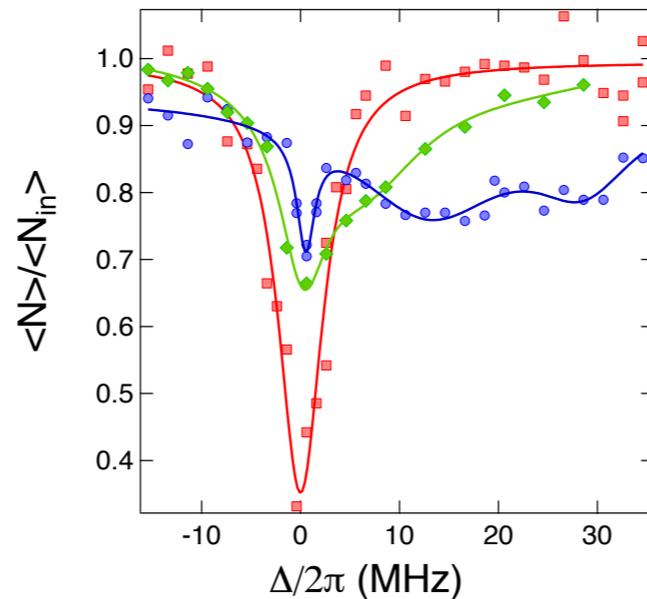
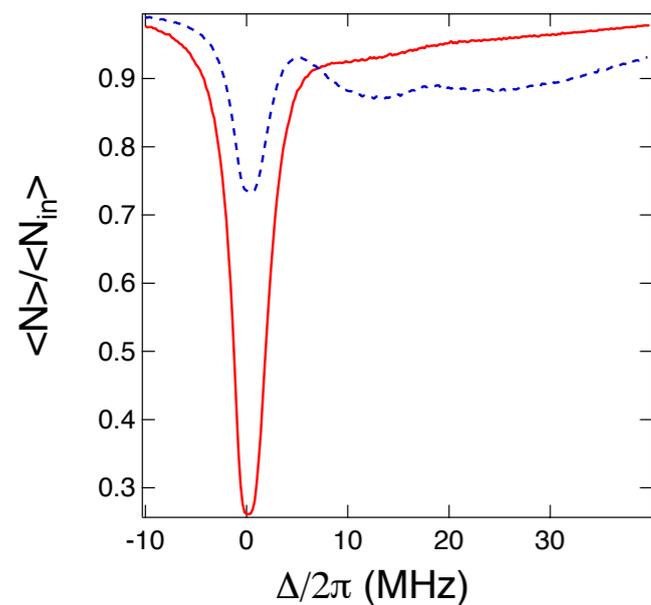
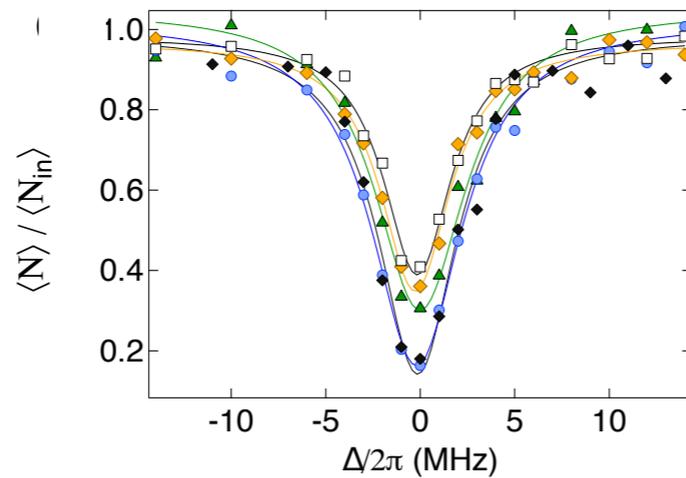
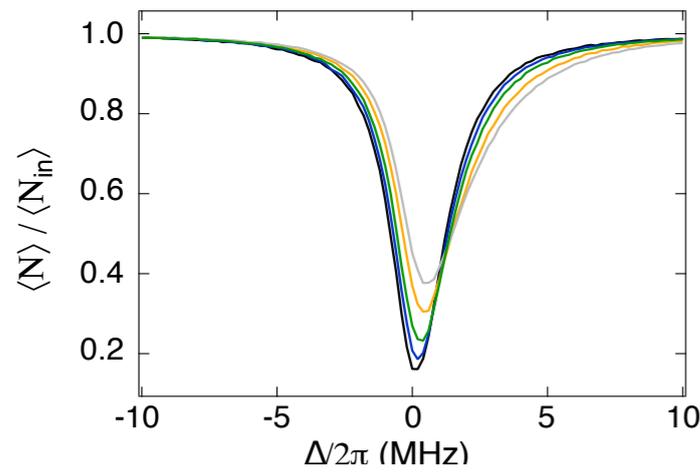
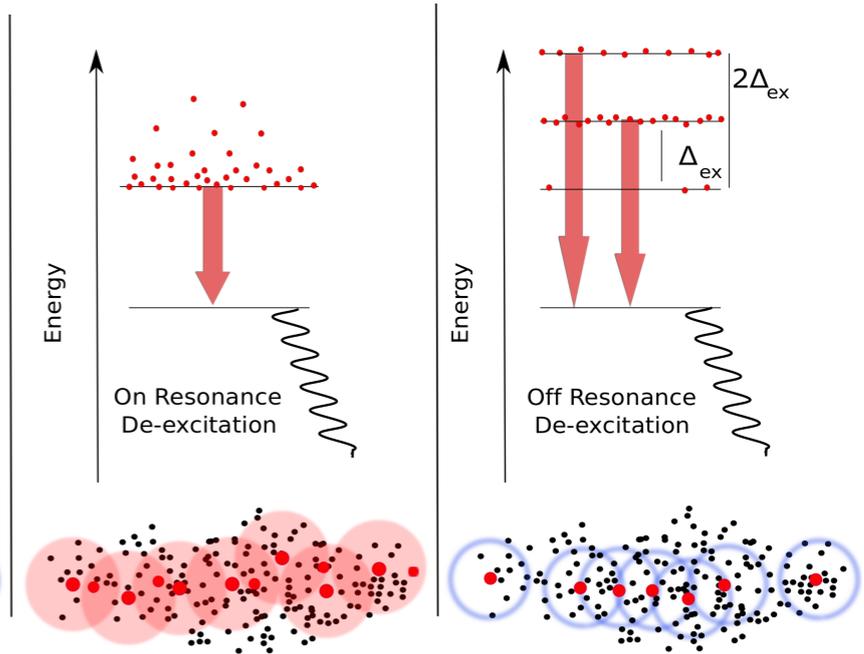
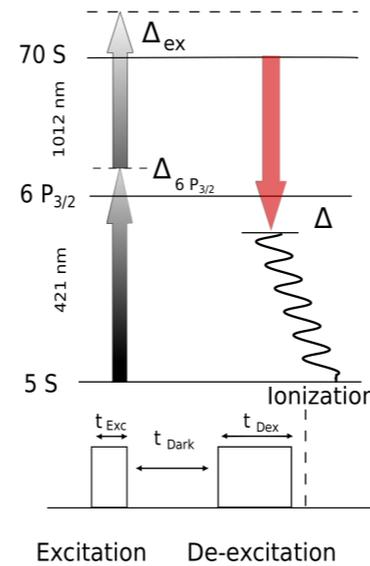
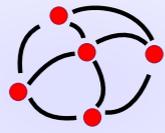


controlled loss channel

loss channel

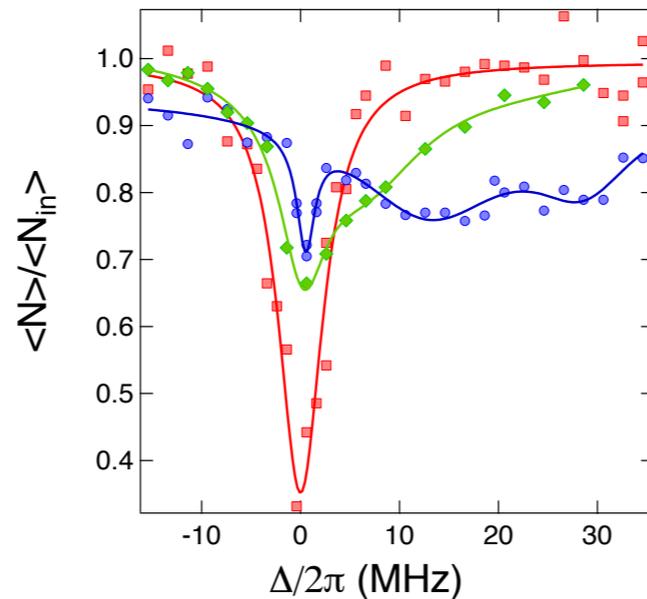
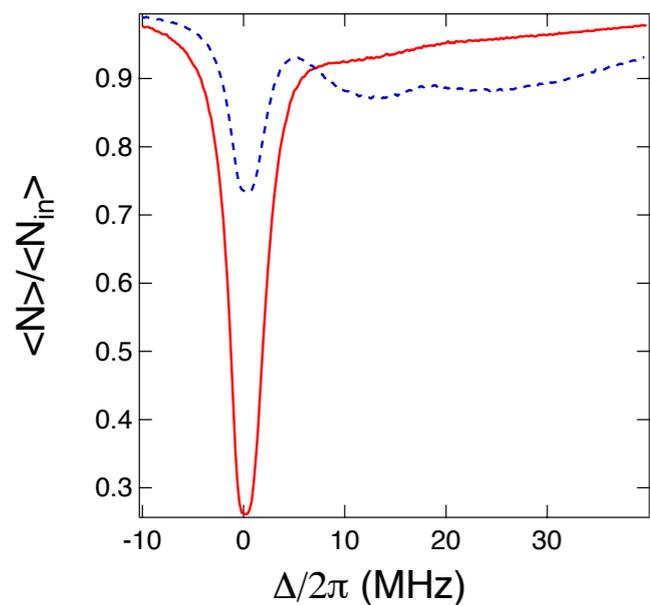
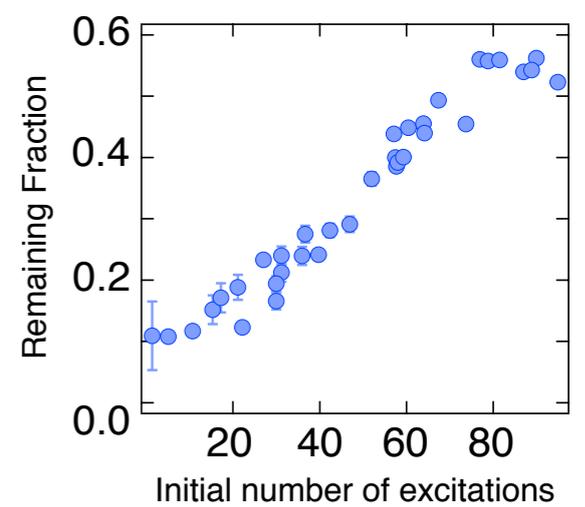
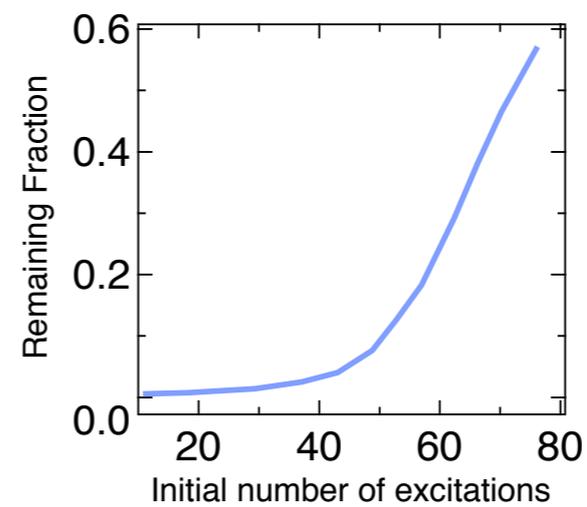
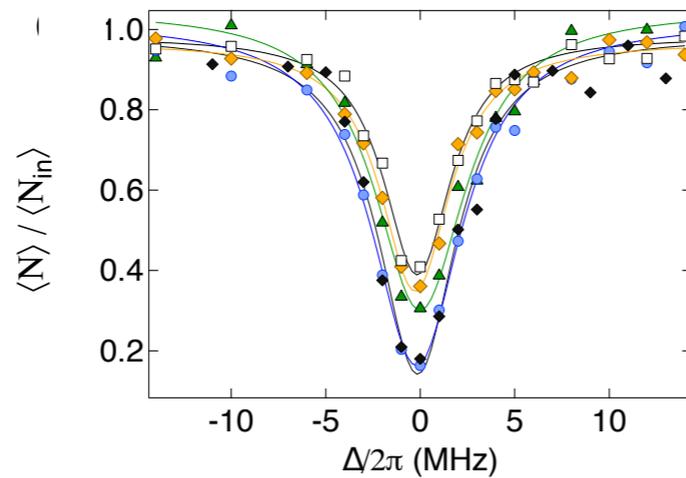
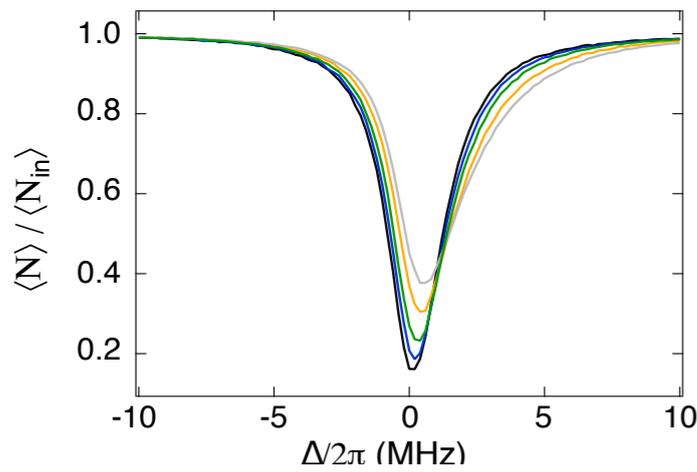
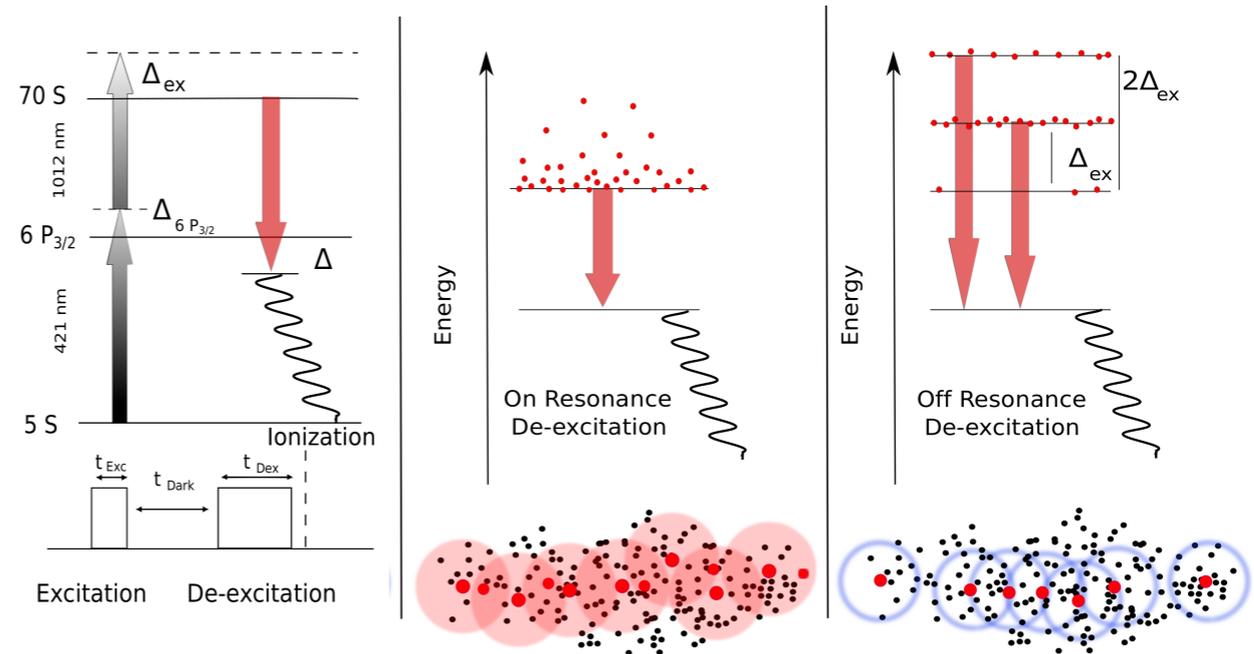
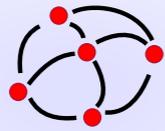


De-excitation process



due to the interactions the de-excitation process reflects the energy distribution

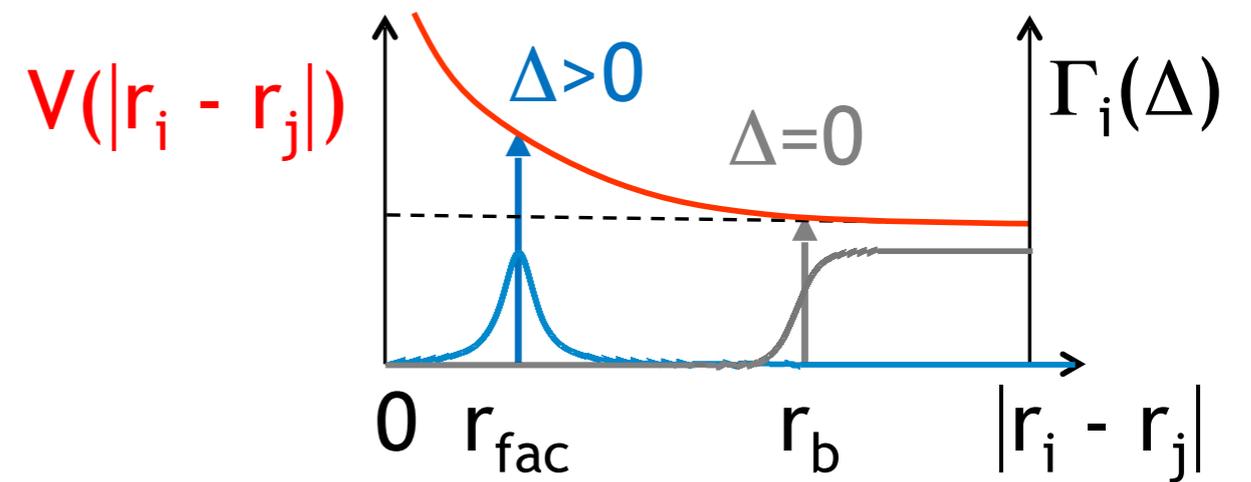
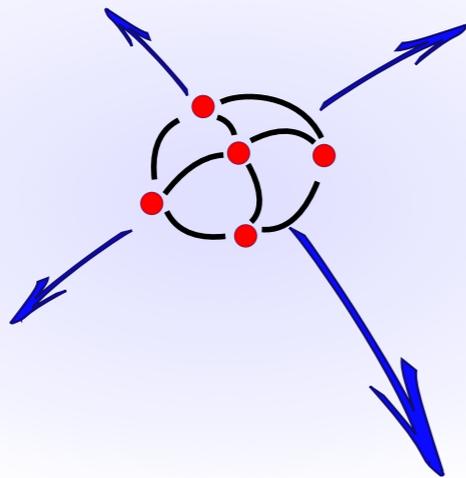
De-excitation process



due to the interactions the de-excitation process reflects the energy distribution

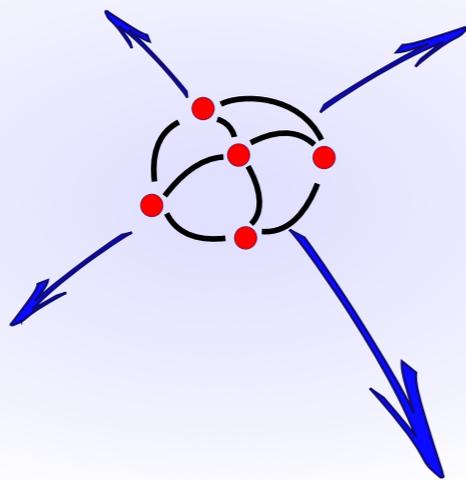
Mechanical effects in Rydberg gases

Off resonant excitation cluster converts 99% of the potential energy in kinetic energy in few microseconds

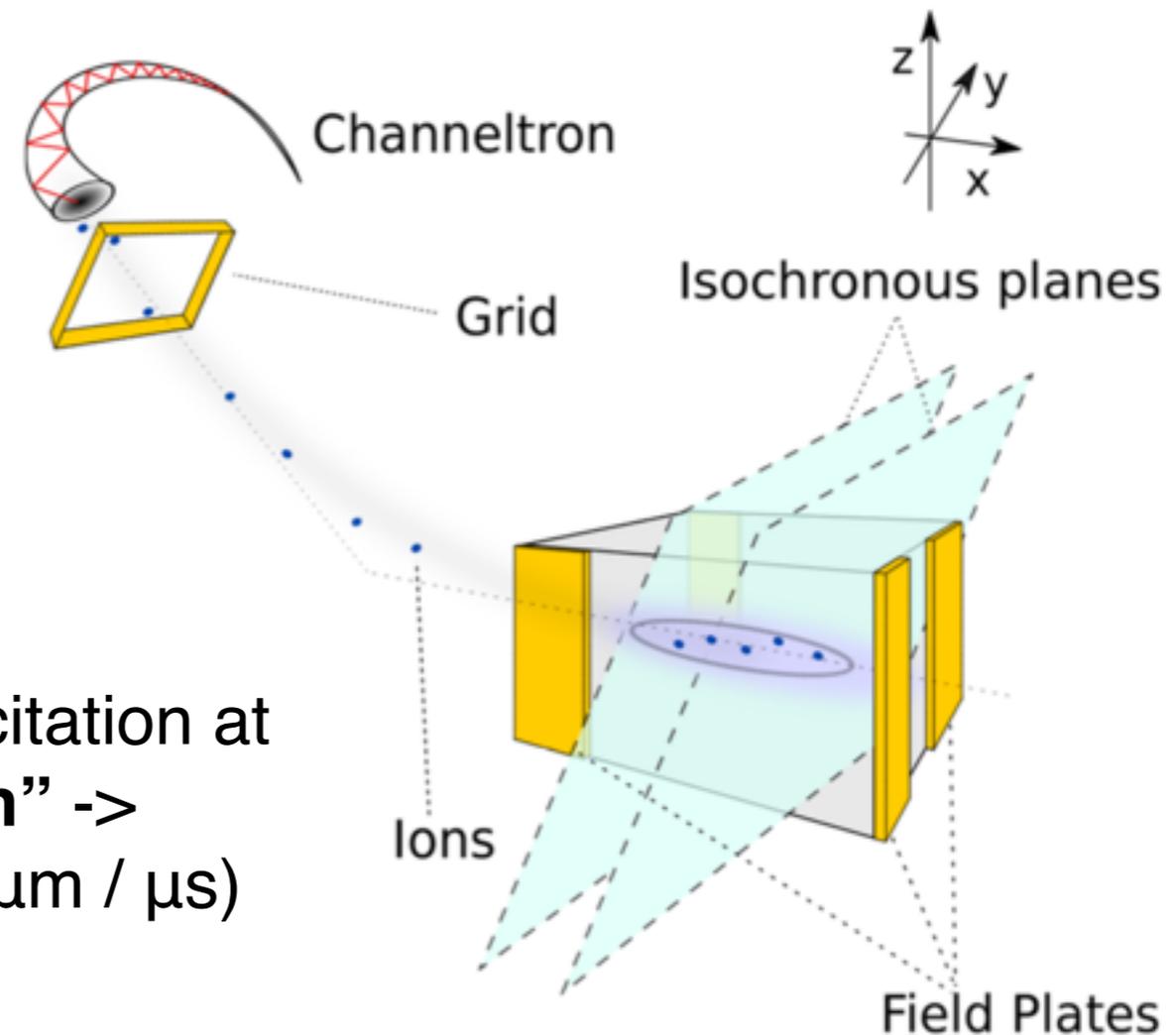
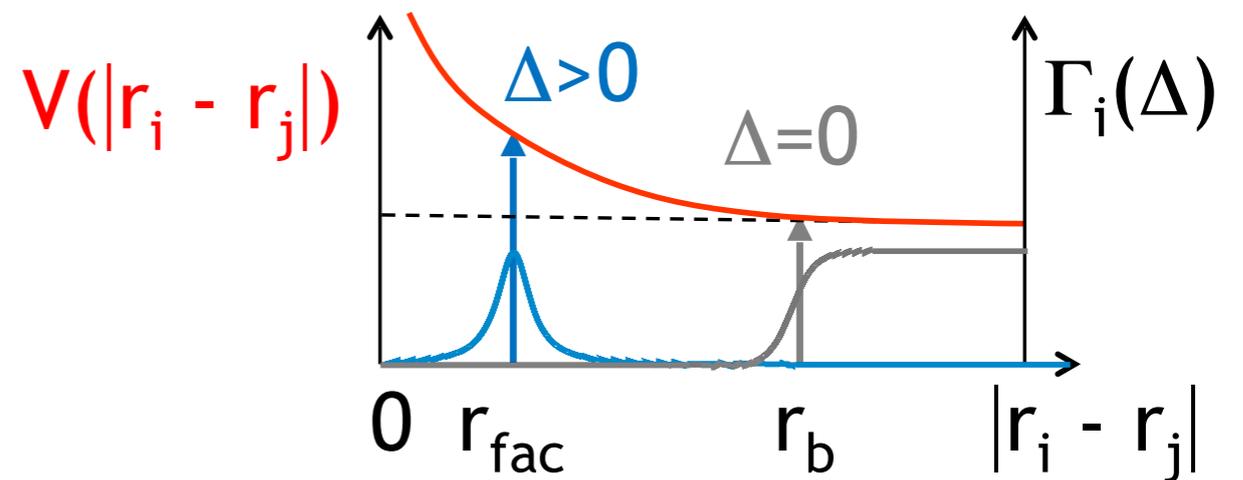


Mechanical effects in Rydberg gases

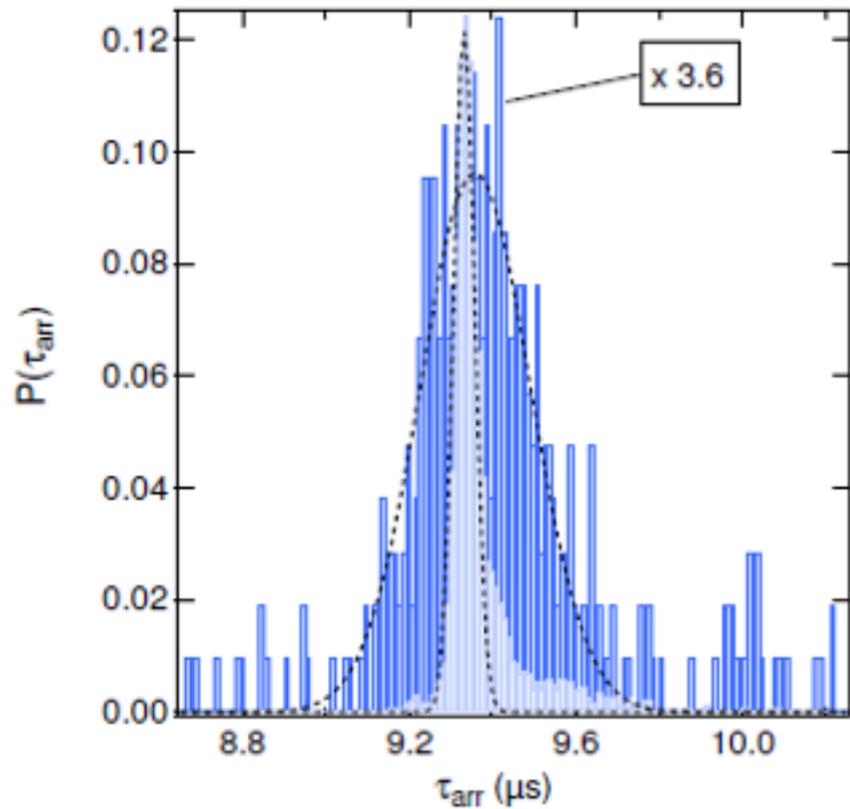
Off resonant excitation cluster converts 99% of the potential energy in kinetic energy in few microseconds



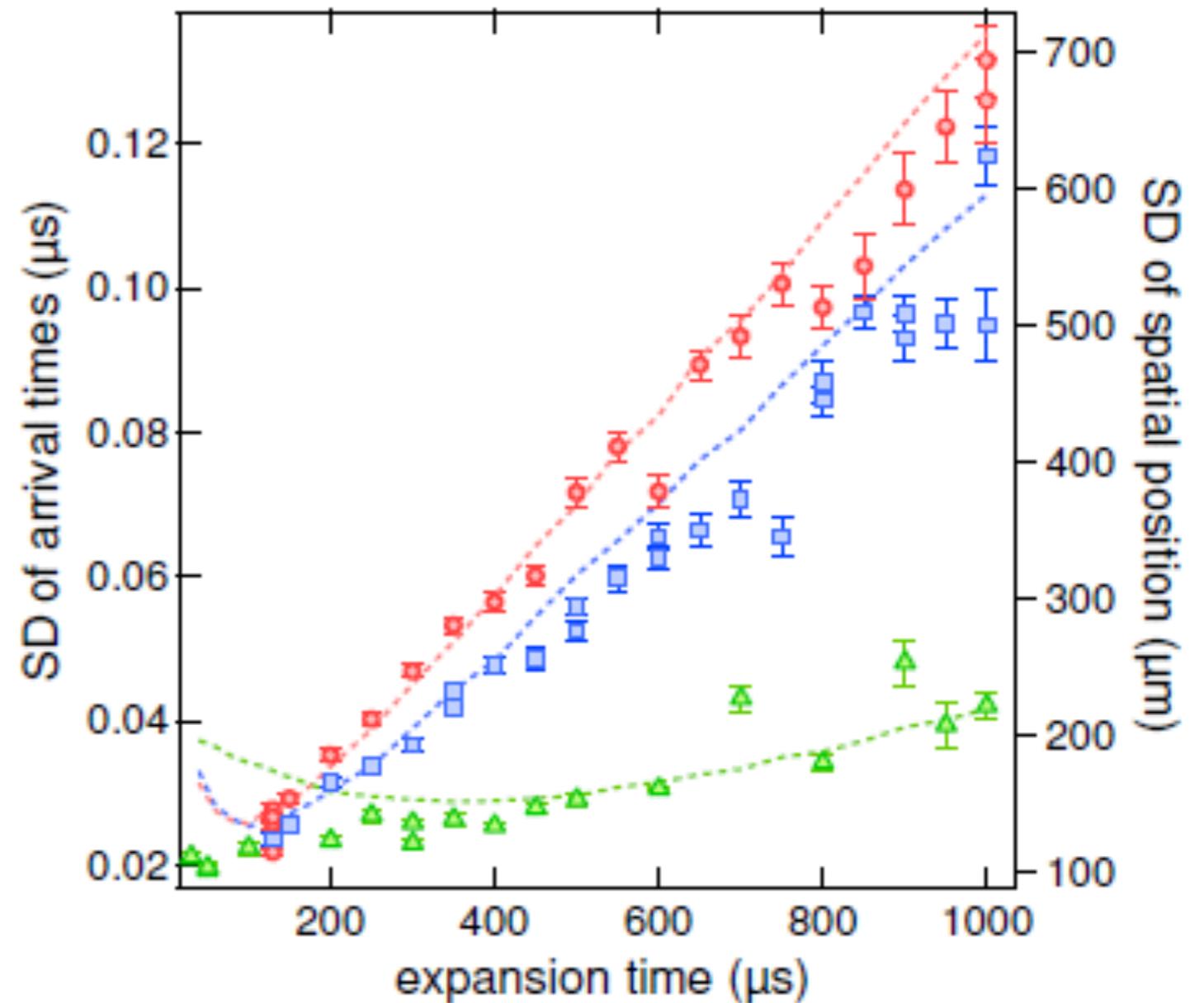
large forces ($a \sim 10^4 g!$) due to off-resonant excitation at 50-80 MHz leads to “**van der Waals explosion**” -> breakdown of frozen gas approximation ($v \sim 1 \mu\text{m} / \mu\text{s}$)



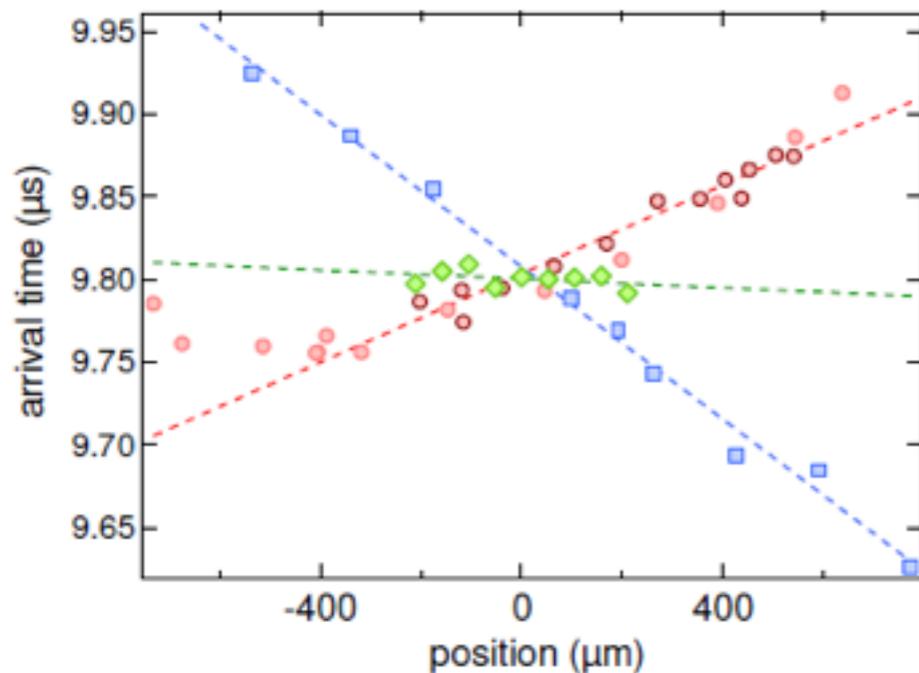
Mechanical effects in Rydberg gases



Ion time-of-flight (TOF) distribution reflects the spatial distribution of the Rydberg atoms

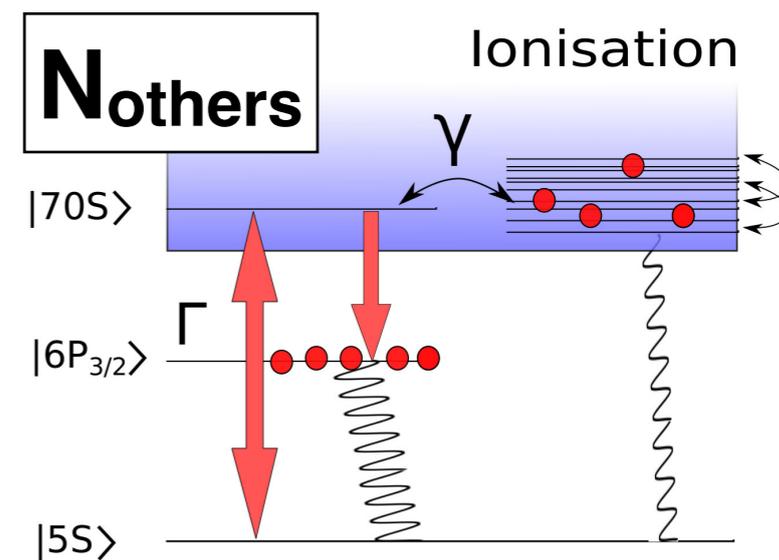
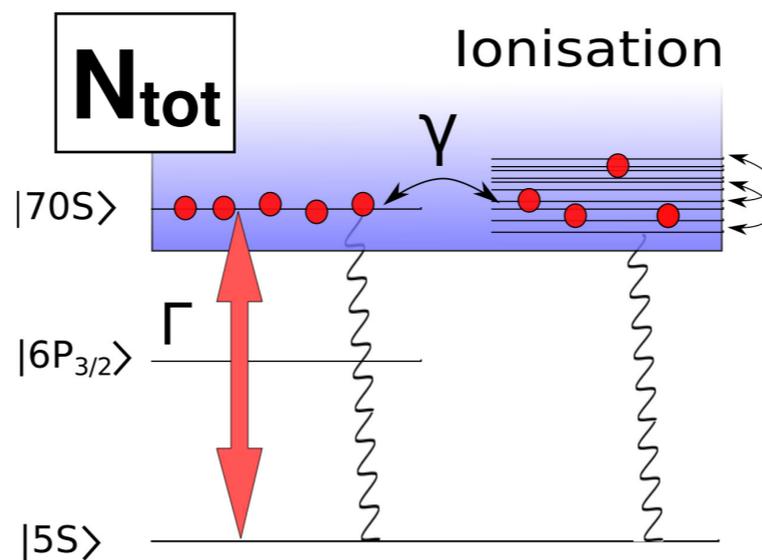


Calibration Time-Space



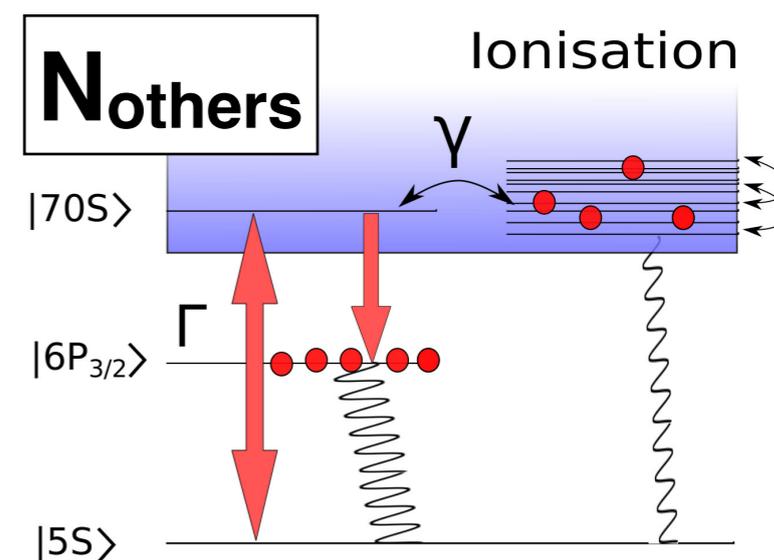
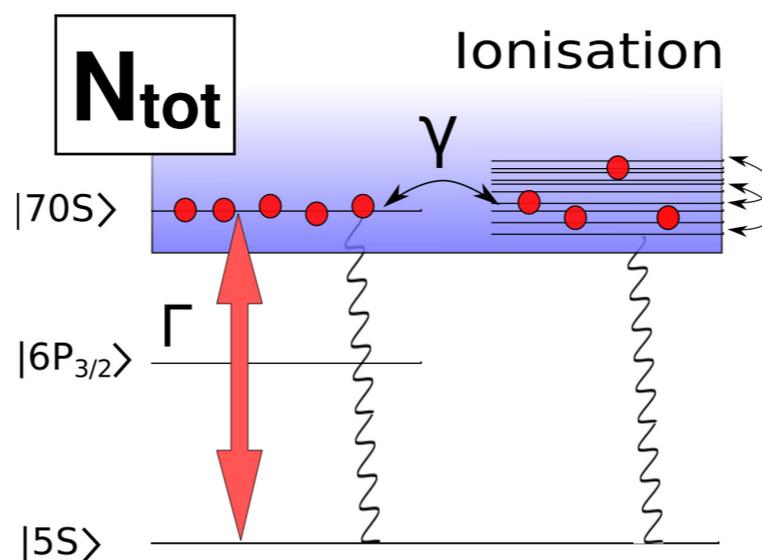
Measuring the lifetime with de-excitation technique

simple idea: de-excitation is state selective

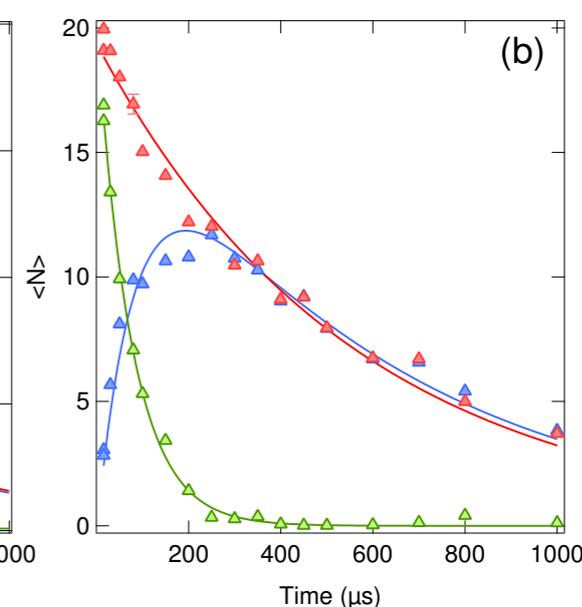
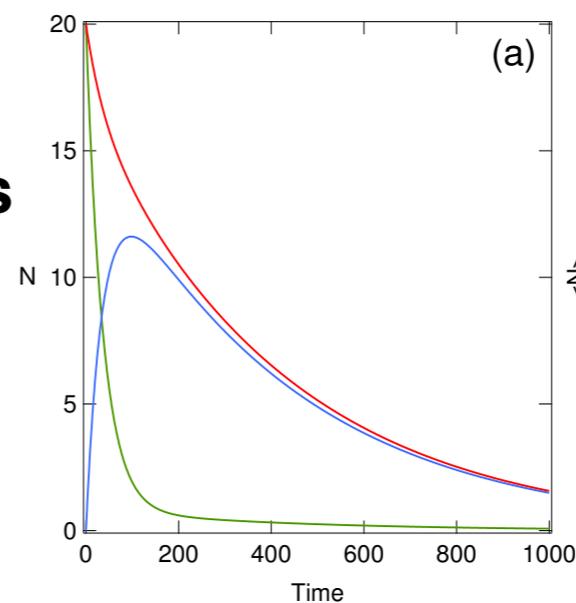


Measuring the lifetime with de-excitation technique

simple idea: de-excitation is state selective

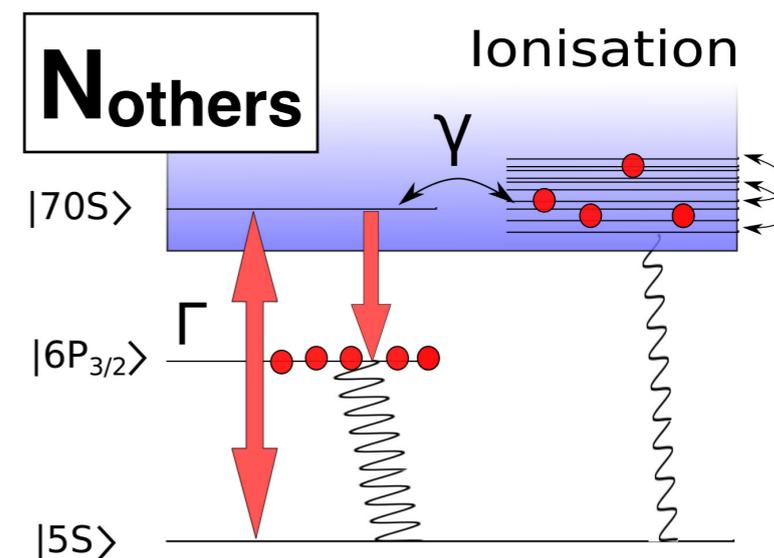
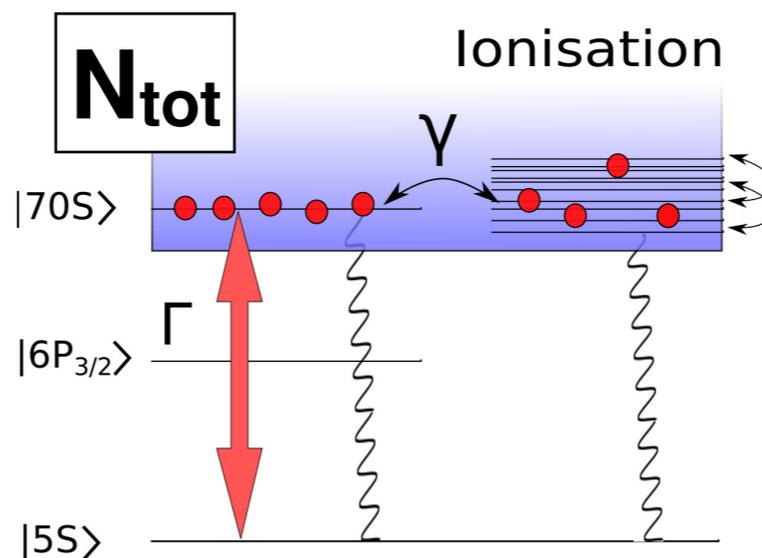


$$N_{70S} = N_{tot} - N_{others}$$

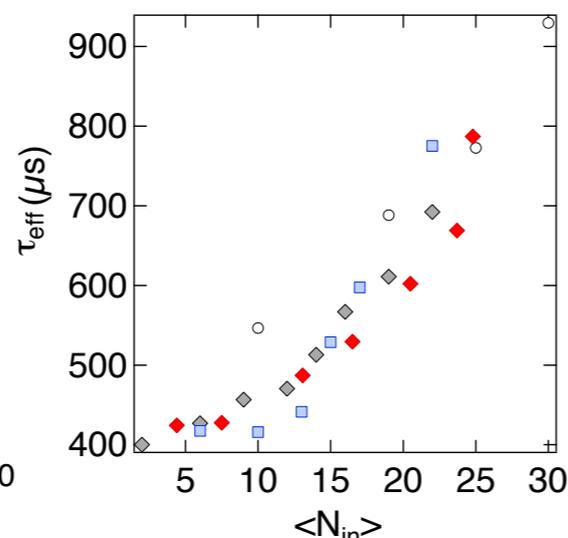
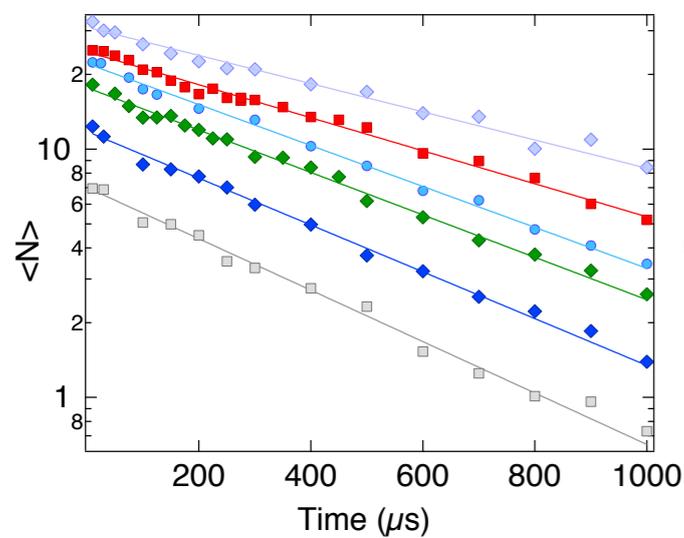
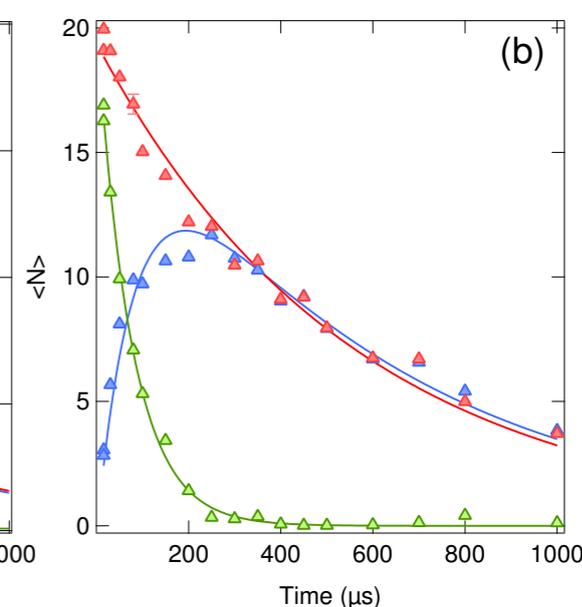
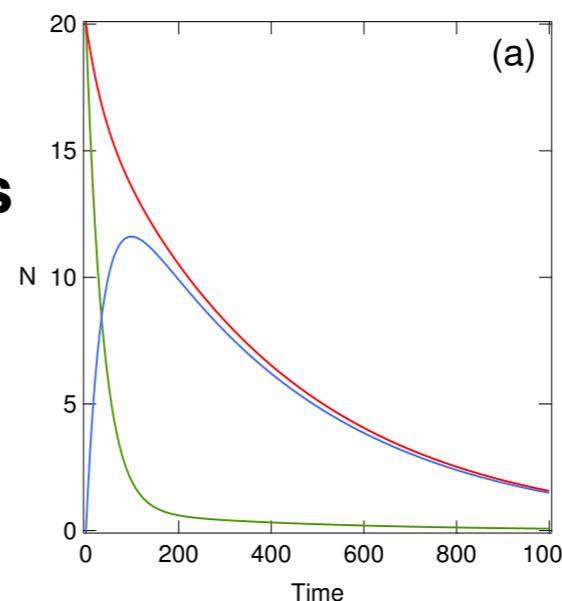


Measuring the lifetime with de-excitation technique

simple idea: de-excitation is state selective



$$N_{70S} = N_{tot} - N_{others}$$



Blackbody coupling?